

# Whither WIMP Dark Matter Search?

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Dictionary meaning of **Wimp**: (Mariam-Webster's Online Dictionary):

1. *A weak, cowardly, ineffectual, timid person* (Americanism)

Origin: around 1915 - 20; source: unknown

Example:

Schwarzenegger calls members of Congress 'wimps'

— Los Angeles Times, 27 October 2010

...

2. **W**(eakly) **I**(nteracting) **M**(assive) **P**(article)

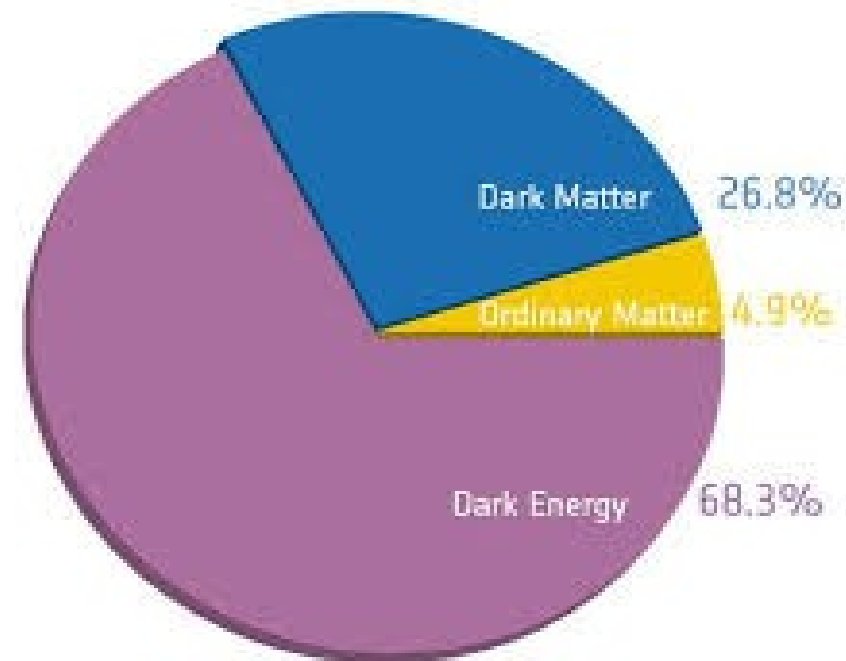
Origin: 1985 – 90; Source : Physics.

# Planck 2015

## Parameters of the Universe

Best fit model for flat  $\Lambda$ CDM model

Parameter	TT+lowP 68 % limits	TT+lowP+lensing 68 % limits
$\Omega_b h^2$ . . . . .	$0.02222 \pm 0.00023$	$0.02226 \pm 0.00023$
$\Omega_c h^2$ . . . . .	$0.1197 \pm 0.0022$	$0.1186 \pm 0.0020$
$100\theta_{MC}$ . . . . .	$1.04085 \pm 0.00047$	$1.04103 \pm 0.00046$
$\tau$ . . . . .	$0.078 \pm 0.019$	$0.066 \pm 0.016$
$\ln(10^{10} A_s)$ . . . . .	$3.089 \pm 0.036$	$3.062 \pm 0.029$
$n_s$ . . . . .	$0.9655 \pm 0.0062$	$0.9677 \pm 0.0060$
$H_0$ . . . . .	$67.31 \pm 0.96$	$67.81 \pm 0.92$
$\Omega_\Lambda$ . . . . .	$0.685 \pm 0.013$	$0.692 \pm 0.012$
$\Omega_m$ . . . . .	$0.315 \pm 0.013$	$0.308 \pm 0.012$



- Flat  $\Lambda$ CDM provides an excellent fit to Planck data
- No compelling evidence for extensions
- Percentage level precision on most parameters
- $n_s$  significantly different from 1
- Reionization:  $\tau$  significantly lower than before
  - WMAP:  $\tau=0.089\pm0.014$
- General good consistency between temperature, polarization and lensing results



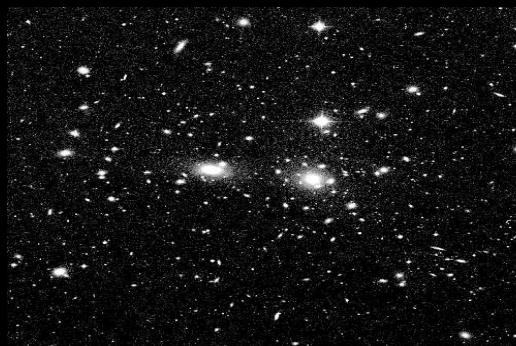
# “Discovery” of Dark Matter

## Fritz Zwicky (1933)

F. Zwicky, "Die Rotverschiebung von extragalaktischen Nebeln", Helvetica Physica Acta 6: 110–127 (1933)

F. Zwicky, "On the Masses of Nebulae and of Clusters of Nebulae", Astrophysical Journal 86: 217 (1937)

Fritz Zwicky (1898 - 1974)



Coma Cluster:  $\sim 1000$  Galaxies

$D \sim 100 \text{ Mpc}$

$M \sim 10^{14} M_{\odot}$

Virial Theorem  $\Rightarrow \langle v^2 \rangle \sim \frac{1}{2} \frac{GM}{\langle r \rangle}$

Measured  $\langle v^2 \rangle^{\frac{1}{2}} \sim 1000 \text{ km s}^{-1} \Rightarrow M \sim 400 M_{\text{visible}} !!$

— Radial velocities of galaxies in the Coma cluster are too large for the galaxies to be bound in the cluster with the known "visible" mass of the cluster.

Note: Zwicky used (wrong!)  $H_0 = 558 \text{ km s}^{-1} \text{ Mpc}^{-1}$  (as measured by Hubble!). Correct result

$M_{\text{Coma cluster}} \sim 50 M_{\text{visible}}$

### THE ASTROPHYSICAL JOURNAL

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ASTRONOMICAL PHYSICS

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NUMBER 3

#### ON THE MASSES OF NEBULAE AND OF CLUSTERS OF NEBULAE

F. ZWICKY

#### ABSTRACT

Present estimates of the masses of nebulae are based on observations of the *luminosities* and *internal rotations* of nebulae. It is shown that both these methods are unreliable; that from the observed luminosities of extragalactic systems only lower limits for the values of their masses can be obtained (sec. i), and that from internal rotations alone no determination of the masses of nebulae is possible (sec. ii). The observed internal motions of nebulae can be understood on the basis of a simple mechanical model, some properties of which are discussed. The essential feature is a central core whose internal *viscosity* due to the gravitational interactions of its component masses is so high as to cause it to rotate like a solid body.

In sections iii, iv, and v three new methods for the determination of nebular masses are discussed, each of which makes use of a different fundamental principle of physics.

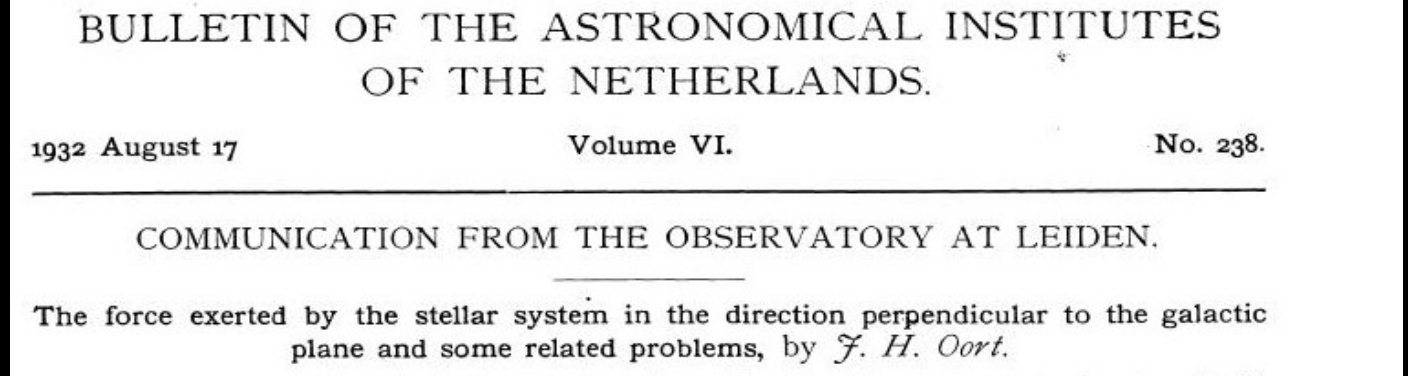
Method iii is based on the *virial theorem* of classical mechanics. The application of this theorem to the Coma cluster leads to a minimum value  $\bar{M} = 4.5 \times 10^{14} M_{\odot}$  for the average mass of its member nebulae.

Method iv calls for the observation among nebulae of certain *gravitational lens* effects.

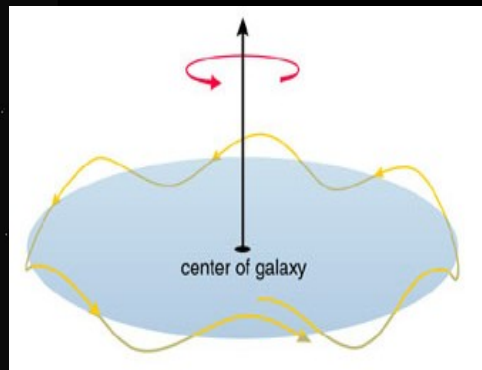
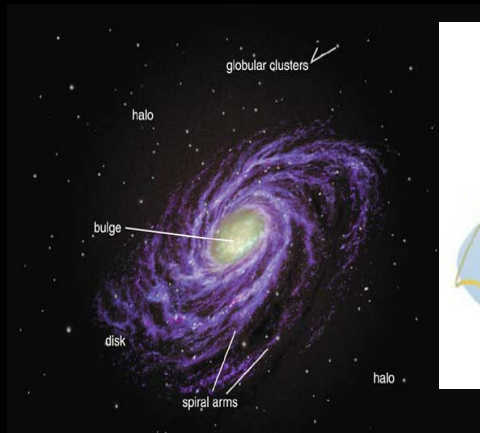
Section v gives a generalization of the principles of ordinary *statistical mechanics* to the whole system of nebulae, which suggests a new and powerful method which ultimately should enable us to determine the masses of all types of nebulae. This method is very flexible and is capable of many modes of application. It is proposed, in particular, to investigate the distribution of nebulae in individual great clusters.

As a first step toward the realization of the proposed program, the Coma cluster of nebulae was photographed with the new 18-inch Schmidt telescope on Mount Palomar.

Also, earlier Oort (1932) ...



Jan Hendrik Oort (1900-1992)



To explain kinematics of vertical motion of the disk stars, Oort needed “invisible mass” of density  $\sim 2 \text{ GeV} / \text{cm}^3$  at the solar neighborhood.

Modern value  $\sim 0.3 \text{ GeV} / \text{cm}^3$



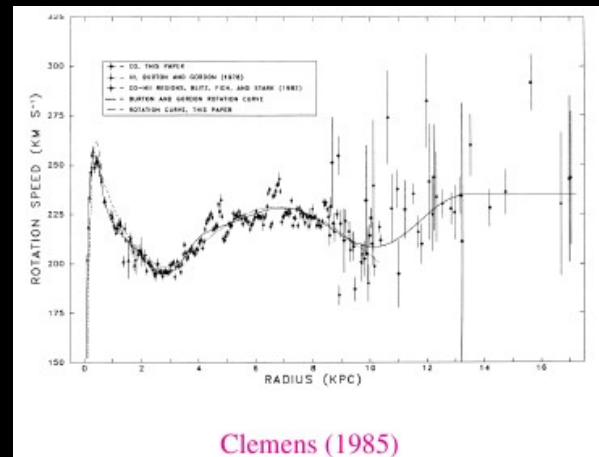
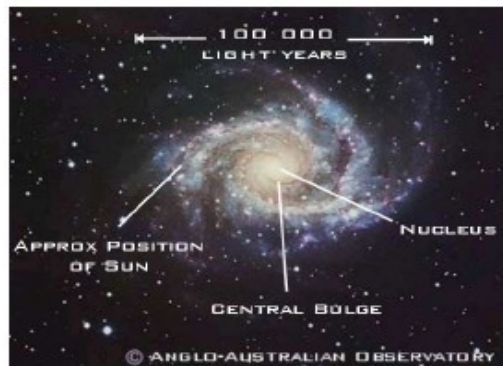
# Rotation Curve of Spiral Galaxies and Dark Matter

Galactic scale Dark Matter seriously studied only beginning early 1970s: **Vera Rubin**: **Rotation Curve of Spiral galaxies.**

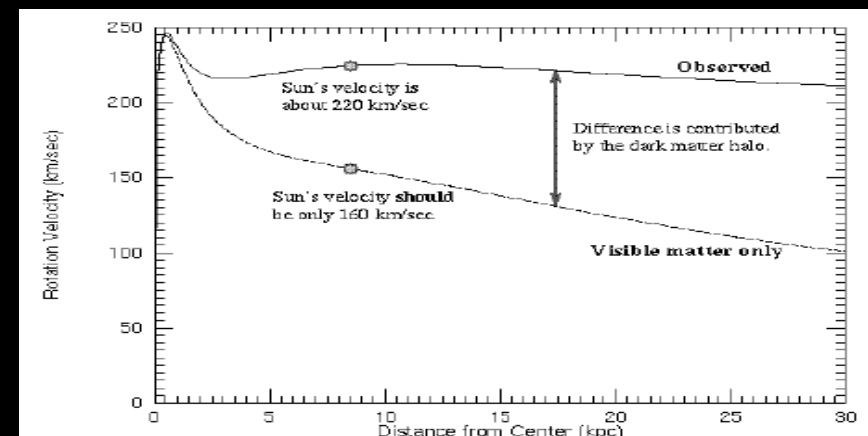
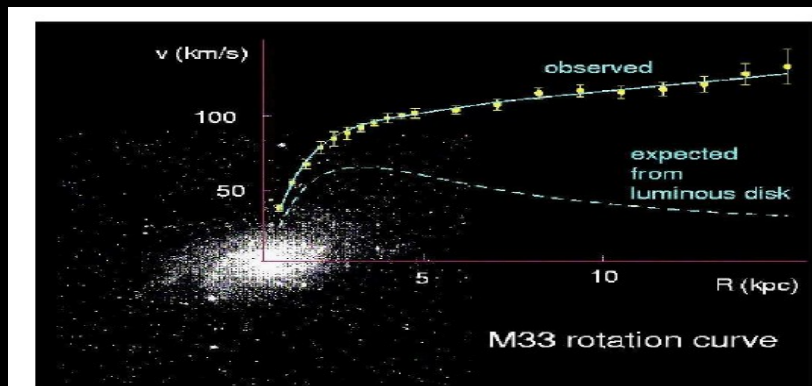
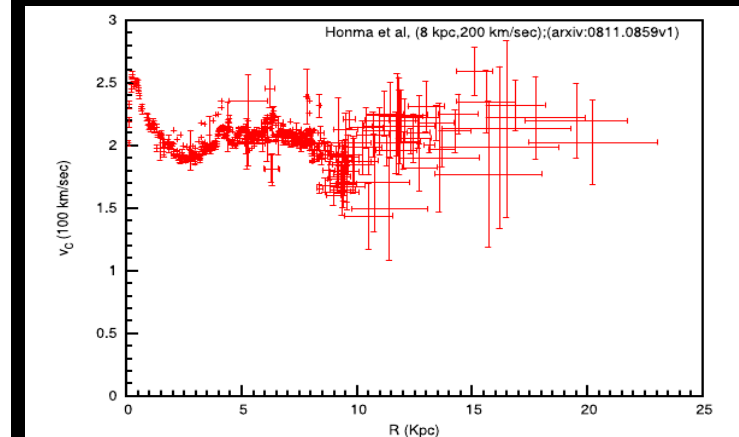
Circular Rotation Speed:  $v_c^2(R) = R \frac{\partial \phi}{\partial R} = G \frac{M(R)}{R}$



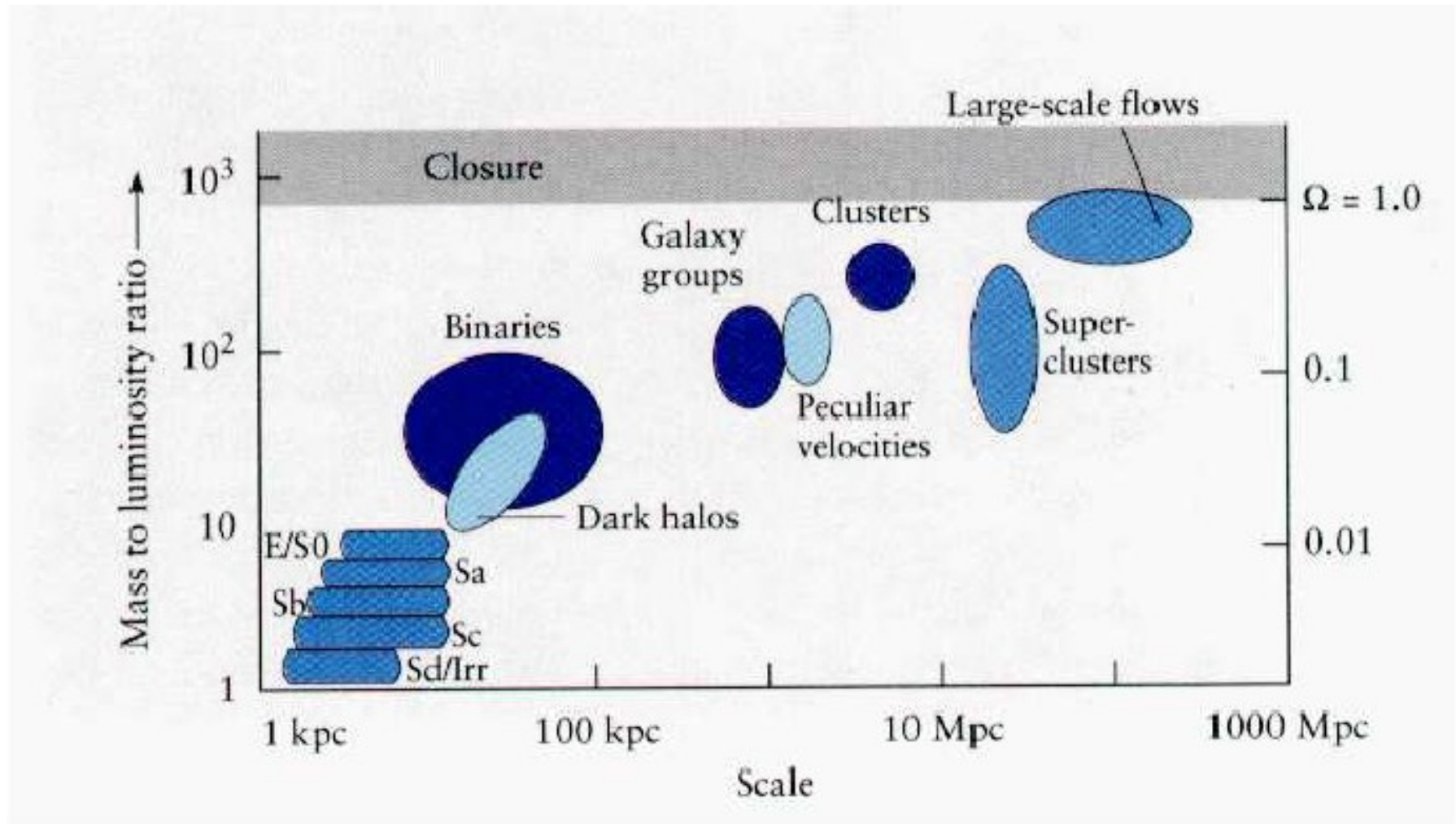
## Rotation Curve of Milky Way



Clemens (1985)



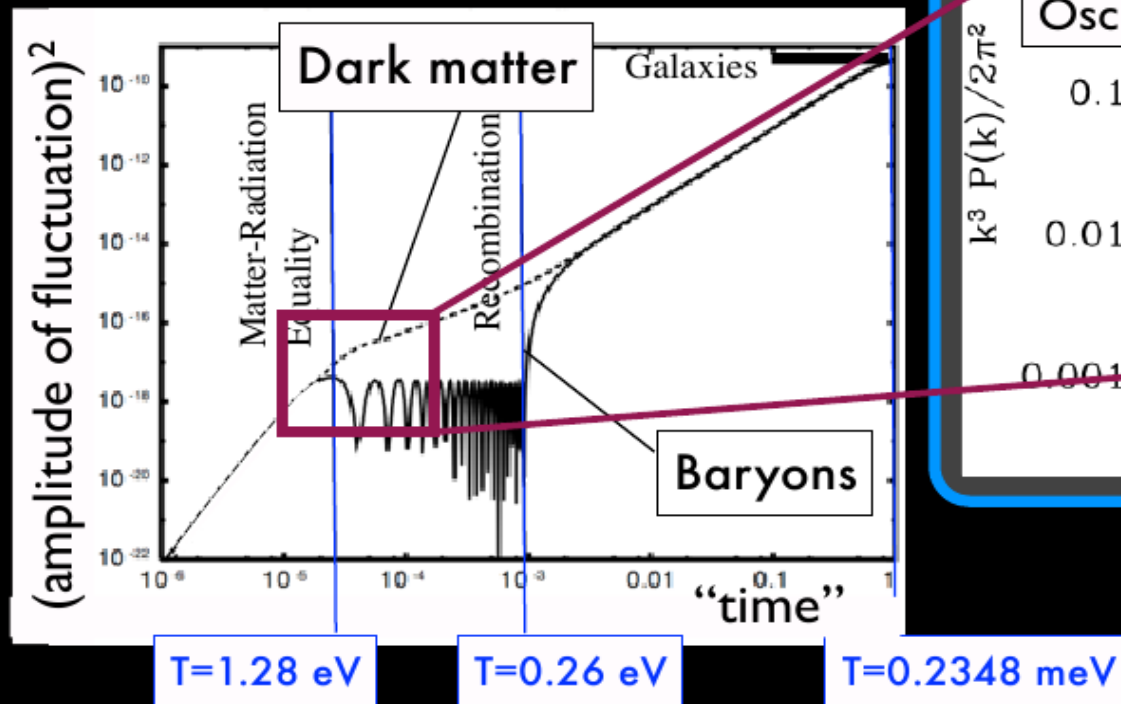
# Dark Matter in the large scale Universe



# Evidence for *nonbaryonic* cold dark matter

## GALAXY FORMATION

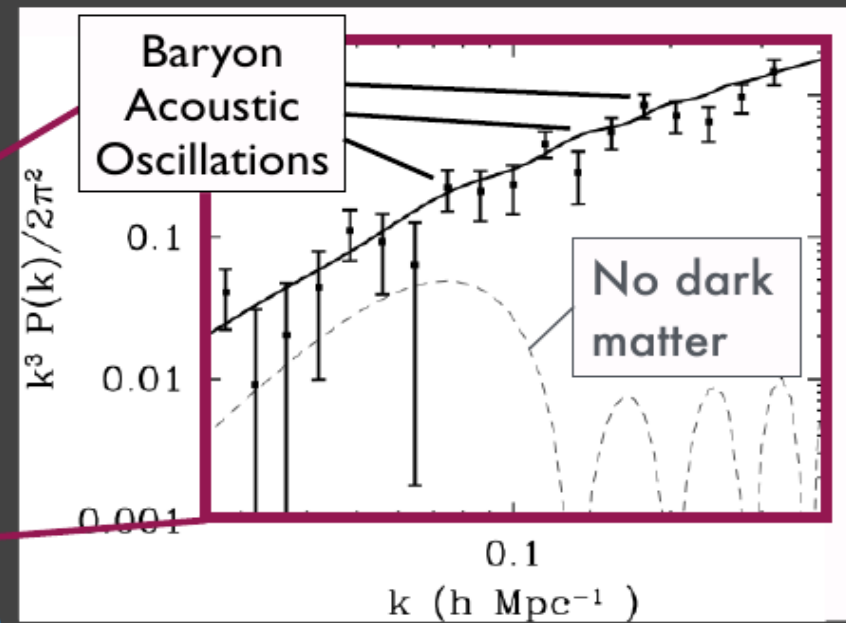
Matter fluctuations uncoupled to the plasma can gravitationally grow into galaxies in the given 13 Gyr



Dark matter is non-baryonic

More than 80% of all matter does not couple

to the *primordial plasma!* SDSS



Paolo Gondolo, AAPCOS 2015 SINP



# Colliding Galaxy Clusters

## “Bullet Cluster”

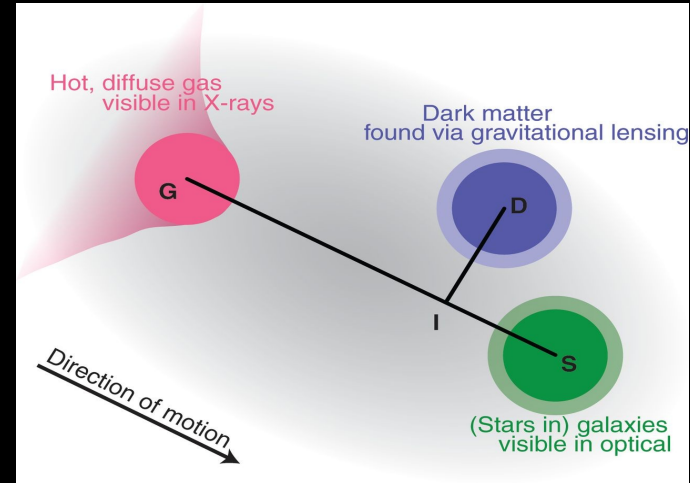
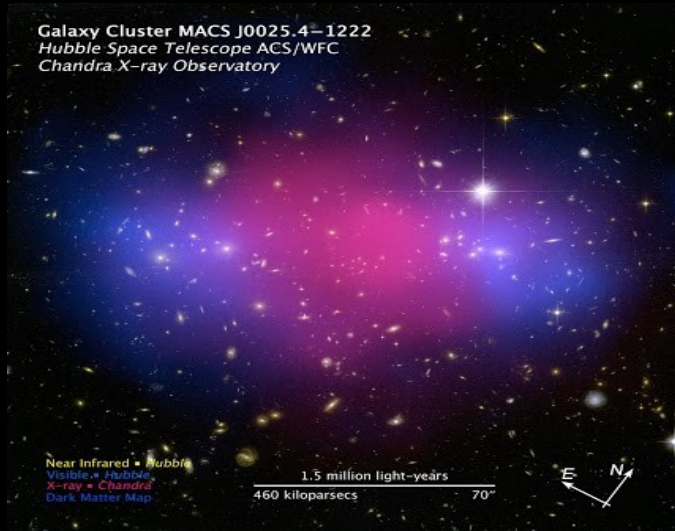


Galaxies in optical  
(Hubble Space  
Telescope)

Gravitational potential  
from weak lensing

X-ray emitting hot gas  
(Chandra)

# Colliding Galaxy Clusters



A. Presence of DM at  $7.6\sigma$

B. (Absence of) lag between stars and DM

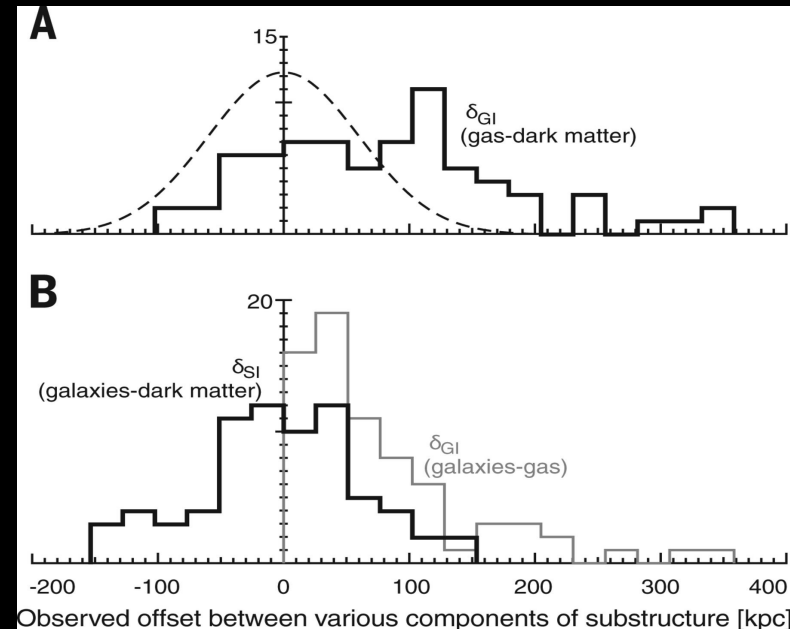
$\Rightarrow$  upper limit on DM self – interaction

$$F_{\text{drag}}/m_{\text{DM}} \sim (\sigma_{\text{DM}}/m_{\text{DM}}) v^2 \rho_{\text{DM}}$$

$$(\sigma_{\text{DM}}/m_{\text{DM}}) < 0.47 \text{ cm}^2/\text{g} = 0.83 \text{ (barn/GeV)}$$

(95% C.L.)

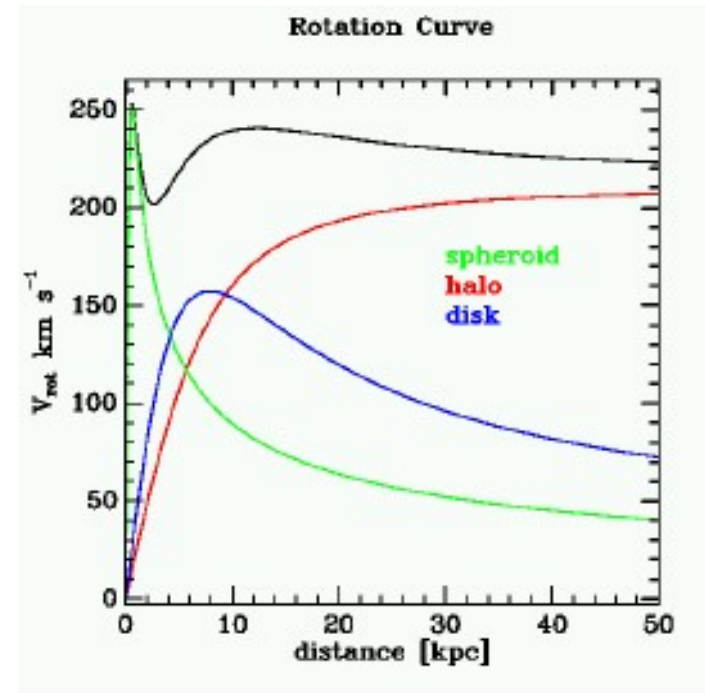
DM self-interaction can solve some problems of CDM



Harvey et al, Science (27 March 2015)

# Dark Matter in the Galaxy

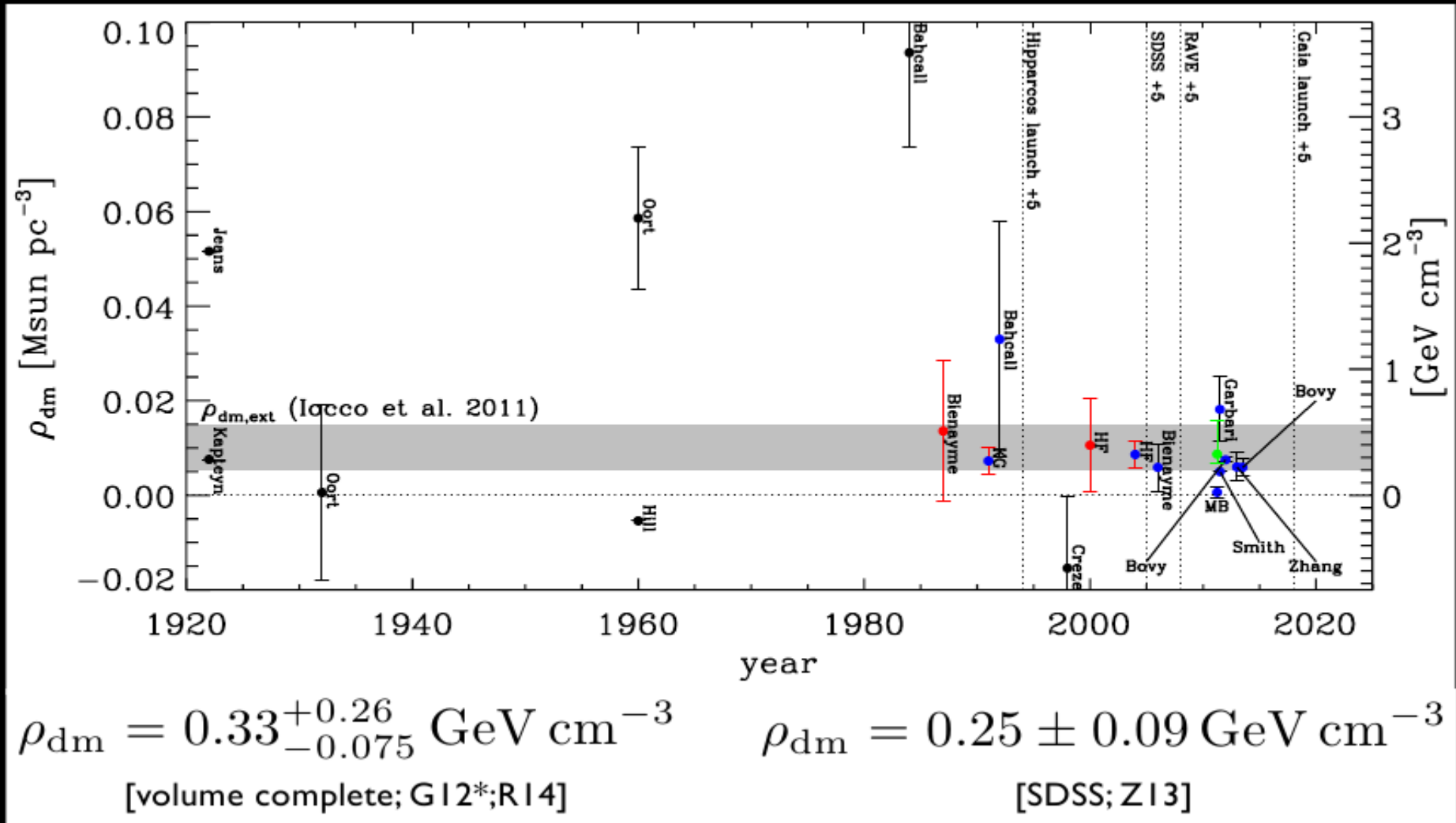
## Mass Models : Dark Matter Halo



$$\Phi_{\text{total}} = \Phi_{\text{visible}} + \Phi_{\text{DarkMatter}}$$

$$v_c^2 = (v_c^2)_{\text{vis}} + (v_c^2)_{\text{DM}}$$

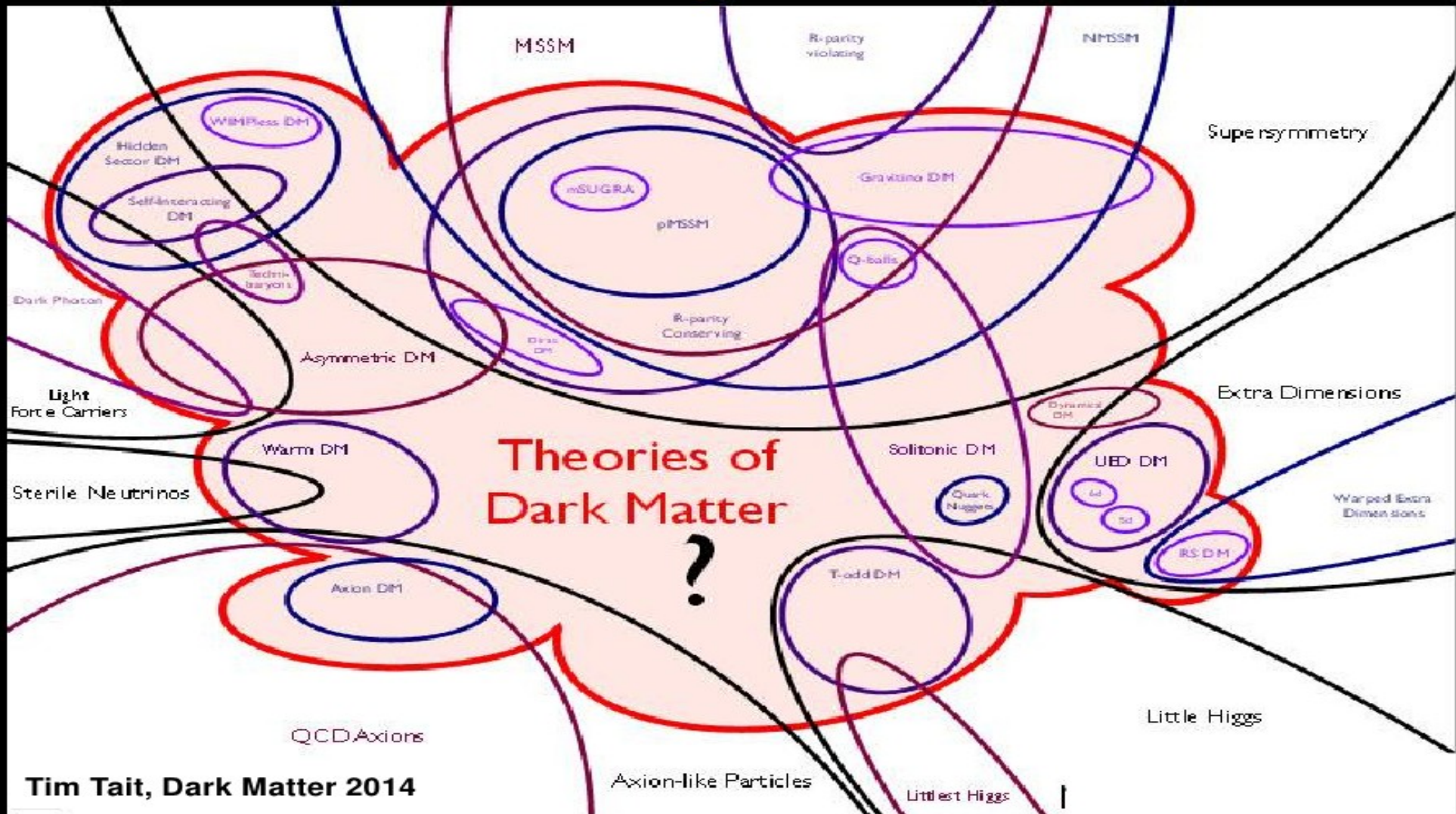
# Dark Matter Density near the Solar System



Read at IDM 2014

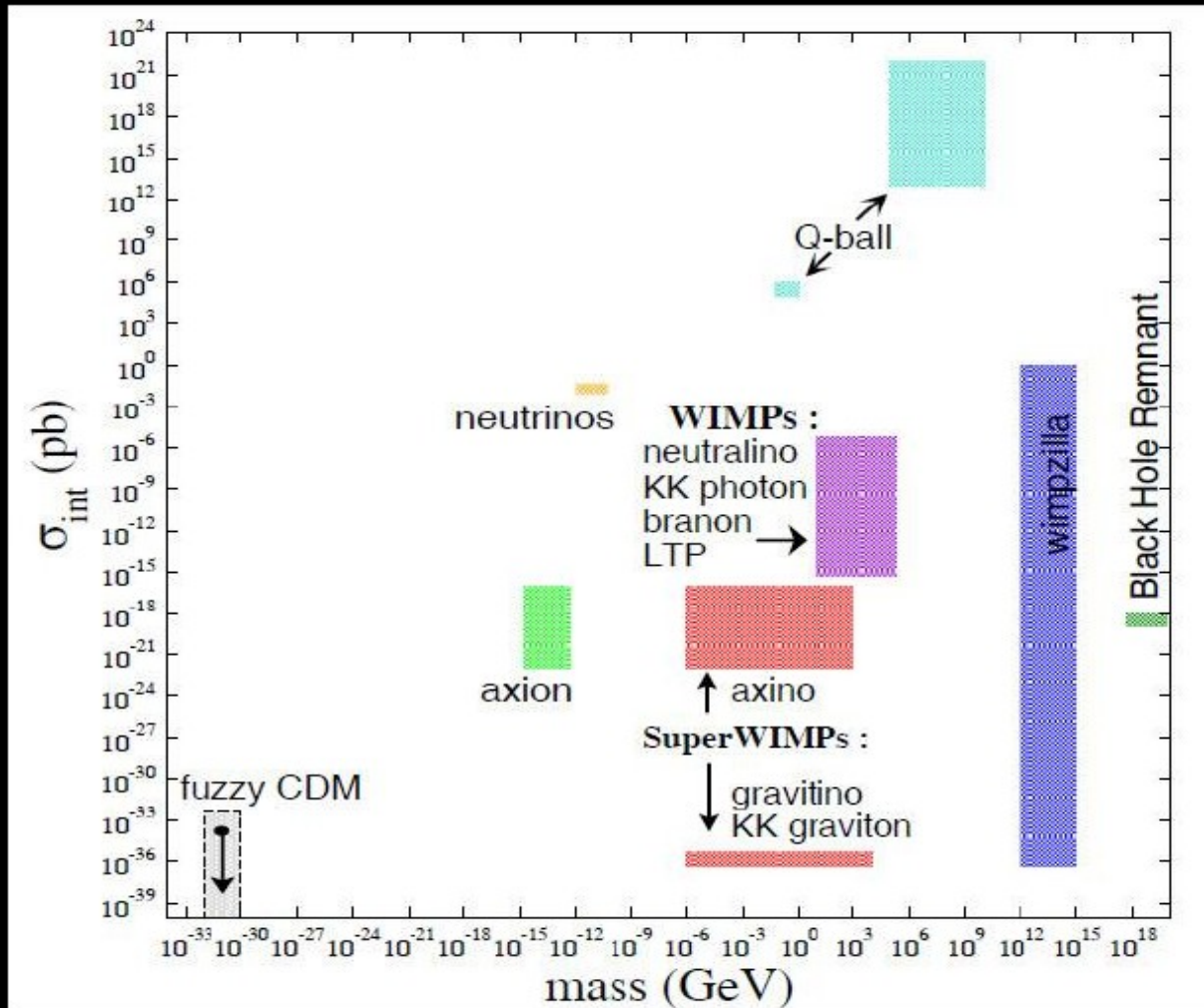


# Candidates of DM: No lack of options!





# Scattering Cross Sections



- +
- Hidden sector particles
- Dark photons
- Sterile neutrinos
- Asymmetric dark matter
- 
- 
- 

WIMP: Weakly Interacting Massive Particle

# The WIMP `Miracle'

DM must be **non-baryonic**, and can have only very **weak interaction** with SM particles

Clustering on (sub)Galactic scales => '**cold**', i.e., **massive**, and hence non-relativistic

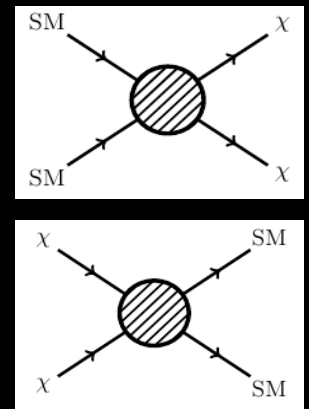
⇒ **Weakly Interacting Massive Particles (WIMPs)**

In the sufficiently early universe, WIMPs would be in thermal equilibrium due to **thermal production** by collision of, and **annihilation** into, SM particles:

$$\chi\chi \leftrightarrow f\bar{f}$$

In thermal equilibrium,  $\left(\frac{n}{s}\right)_{\text{eq}} \propto \left(\frac{m}{T}\right)^{3/2} e^{-m/T}$

⇒ If thermal equilibrium prevailed till today, present-day abundance would be negligible! **But**, ...



# The WIMP Miracle ...

Annihilation rate  $\Gamma_{\text{ann}} = n \langle \sigma v \rangle_{\text{ann}} \propto T^{3+p}$

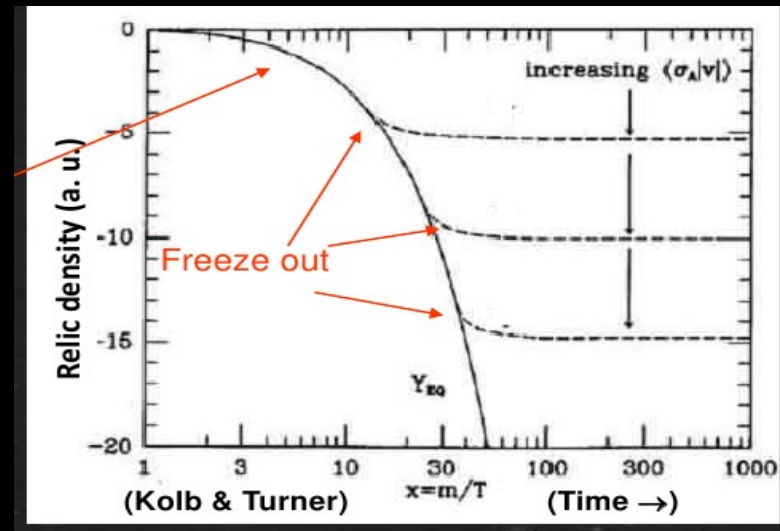
since  $n \propto T^3$ ,  $\langle \sigma v \rangle_{\text{ann}} \propto T^p$  [ $p = 0(1)$  for  $s(p)$  wave ann]

But expansion rate  $H \propto T^2$  So, at some  $T=T_f$ , at which  $\Gamma_{\text{ann}}(T_f) \leq H(T_f)$

The species “freezes out” or “decouples” and leaves the exponentially falling abundance curve

Present -day abundance:

$$\Omega_{\text{WIMP}} \propto \langle \sigma v \rangle^{-1}$$



# The WIMP Miracle ...

WIMP abundance today:

$$\Omega_\chi h^2 \sim 0.1 \left( \frac{3 \times 10^{-26} \text{ cm}^3 / \text{sec}}{\langle \sigma v \rangle} \right) + \log \text{ corrections}$$

Typically,  $\sigma \sim \alpha^2 / m_\chi \sim 10^{-8} \text{ GeV}^{-2} \sim 4 \times 10^{-36} \text{ cm}^2$  (with  $\alpha \sim 10^{-2}$   $m_\chi \sim 100 \text{ GeV}$ ), and  $\langle v \rangle_f \sim 0.25c$ . Also,  $h \sim 0.7$ .

Thus, **if there is a WIMP, it is the natural DM candidate!** (“WIMP miracle”)

**The meek (weakly interacting!) shall inherit the Universe!**

WIMP annihilation into SM particles  $\Rightarrow$  WIMPs must also have some (weak) interaction (albeit small) with nuclei, via crossing symmetry  $\Rightarrow$  **Direct detection of WIMPs may be possible.**

Also, **WIMPs captured within astrophysical bodies (e.g., Sun) would annihilate  $\Rightarrow$  annihilation products (e.g., neutrinos) may be detectable.**



# Some numbers

$$\rho_{\text{DM}} \approx 0.3 \text{ GeV cm}^{-3}$$

$$n_{\text{DM}} \approx 3000 \left( \frac{100 \text{ GeV}}{m_{\text{DM}}} \right) \text{ m}^{-3}$$

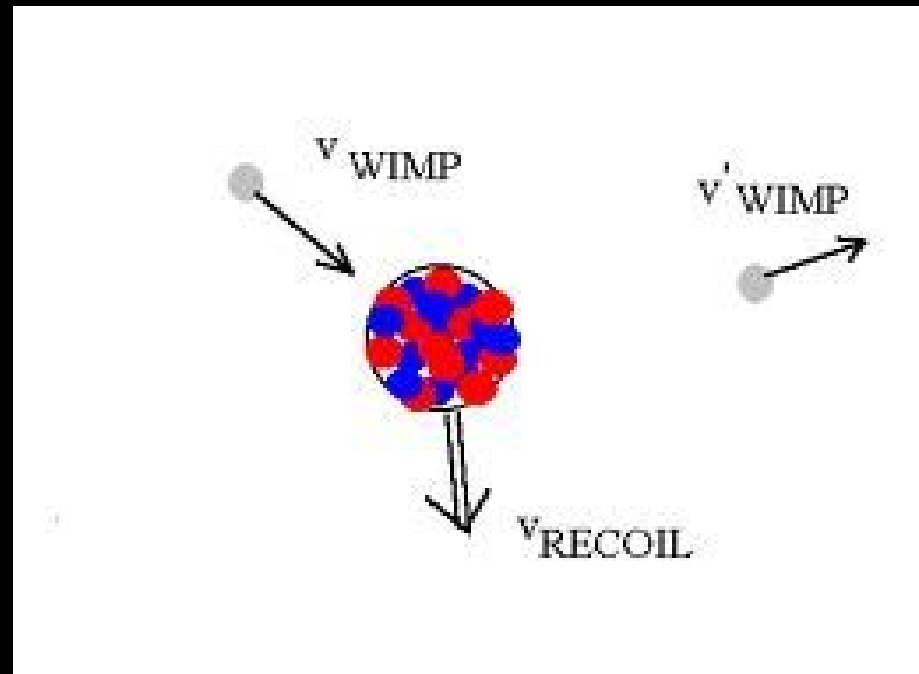
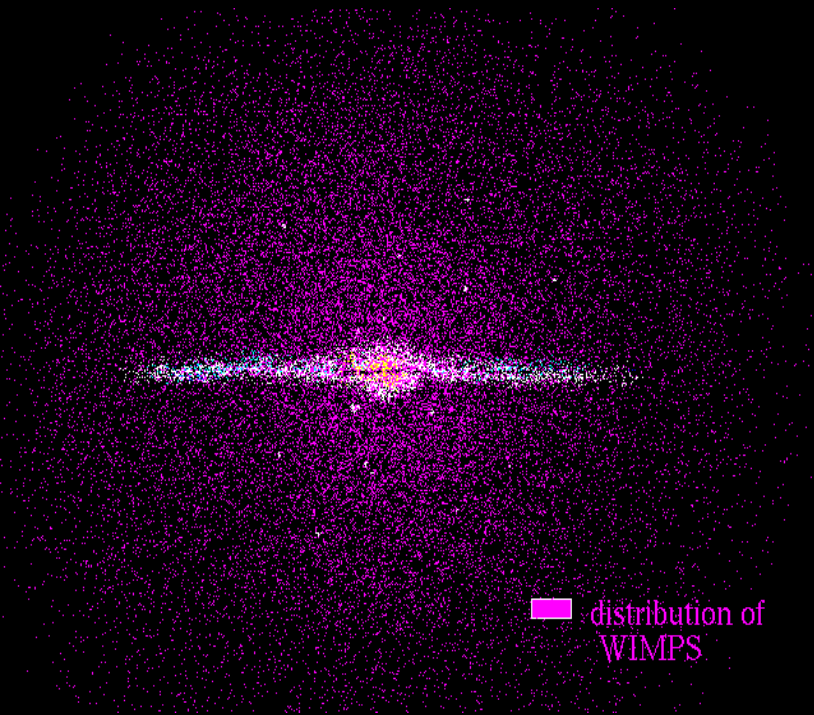
More than 10 million DM particles in this room

Typical speed  $\sim 300$  km/s. Thus, about 10 trillion DM particles will have passed through your body during this presentation!

Can't we detect them?

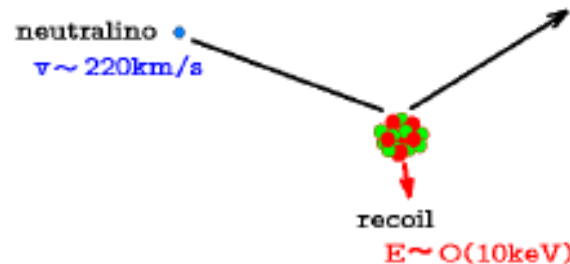


# Direct Detection of WIMPs :



Drukier & Stodilsky (1984); Goodman & Witten (1985); Primack, Seckel, Sadulet (1988)

## Direct Detection: Order-of-magnitude Estimates



### Event rate :

For a single detector nucleus, the rate of WIMP scatterings,  $R \sim n_\chi v \sigma_{\chi N}$ , gives

$$R \sim 2.7 \times 10^{-24} \text{ yr}^{-1} \left( \frac{\rho_\chi}{0.3 \text{ GeV cm}^{-3}} \right) \left( \frac{100 \text{ GeV}}{m_\chi} \right) \left( \frac{v}{300 \text{ km s}^{-1}} \right) \left( \frac{\sigma_{\chi N}}{10^{-36} \text{ cm}^2} \right)$$

No. of nuclei of atomic number  $A$  in 1 gm is  $6 \times 10^{23}/A$ . So, total rate

$$R_{\text{total}} \sim 16 \text{ events kg}^{-1} \text{ yr}^{-1} \left( \frac{100}{A} \right) \left( \frac{\rho_\chi}{0.3 \text{ GeV cm}^{-3}} \right) \left( \frac{100 \text{ GeV}}{m_\chi} \right) \left( \frac{v}{300 \text{ km s}^{-1}} \right) \left( \frac{\sigma_{\chi N}}{10^{-36} \text{ cm}^2} \right)$$

### Recoil Energy :

For a WIMP of mass  $m_\chi$  and velocity  $v$  striking a nucleus of mass  $M$  at rest,  $\Delta p \sim m_\chi v$ .  $\Rightarrow$  Recoil energy of nucleus,

$$E_r \sim (\Delta p)^2 / 2M \sim 50 \text{ keV} \left( \frac{m_\chi}{100 \text{ GeV}} \right)^2 \left( \frac{v}{300 \text{ km s}^{-1}} \right)^2 \left( \frac{100 \text{ GeV}}{M} \right).$$

*Proper calculations :*

Recoil energy:  $E_R = (\mu^2 v^2 / M)(1 - \cos \theta^*)$ , where  $\mu \equiv m_\chi M / (m_\chi + M) =$  **reduced mass**,  $v =$  WIMP speed relative to the nucleus, and  $\theta^* =$  scattering angle in the center of mass frame.

Differential recoil rate per unit detector mass, in units of counts/day/kg/keV :

$$\frac{dR}{dE_R} = \frac{\sigma(q)}{2 m_\chi \mu^2} \rho \eta(E_R, t) \equiv \text{Particle Physics} \otimes \text{Astrophysics},$$

with  $q = \sqrt{2ME_R} =$  nucleus recoil momentum,  $\sigma(q) =$  WIMP-nucleus cross-section,

$$\eta(E_R, t) = \int_{v > v_{\min}} \frac{f(\mathbf{v}, t)}{v} d^3v ,$$

$$v_{\min} = \sqrt{\frac{ME_R}{2\mu^2}} = \text{minimum WIMP velocity that can result in a recoil energy } E_R.$$

$f(\mathbf{v}, t)$  is the (time-dependent) velocity distribution of the WIMPs relative to detector at rest on Earth.

## WIMP-Nucleus (Effective) Interaction

The effective WIMP-Nucleus X-section can be obtained from fundamental WIMP-quark/gluon x-section:

$$\sigma_{\chi-A} \leftarrow \sigma_{\chi-N} \leftarrow \sigma_{\chi-q}$$

Spin-independent (SI) interaction:

$$\frac{d\sigma(q)}{dq^2} = \frac{1}{4m_n^2 v^2} \sigma_n A^2 F^2(q)$$

$v$  = WIMP-nucleus relative velocity

Coherence  
Form factor: loss of coherence

WIMP-nucleon x-section

WIMP-nucleon reduced mass = nucleon mass for  $m_{\text{WIMP}} \gg m_n$

Spin-dependent (SD) Interaction

$$\frac{d\sigma(q)}{dq^2} = \frac{8}{\pi v^2} \Lambda^2 G_F^2 J(J+1) F^2(q)$$

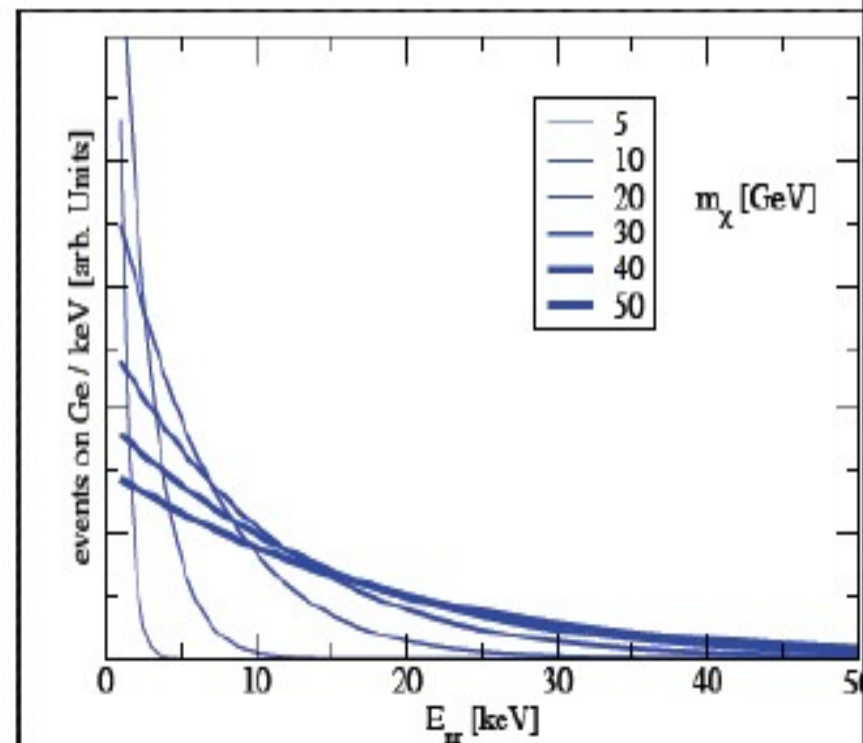
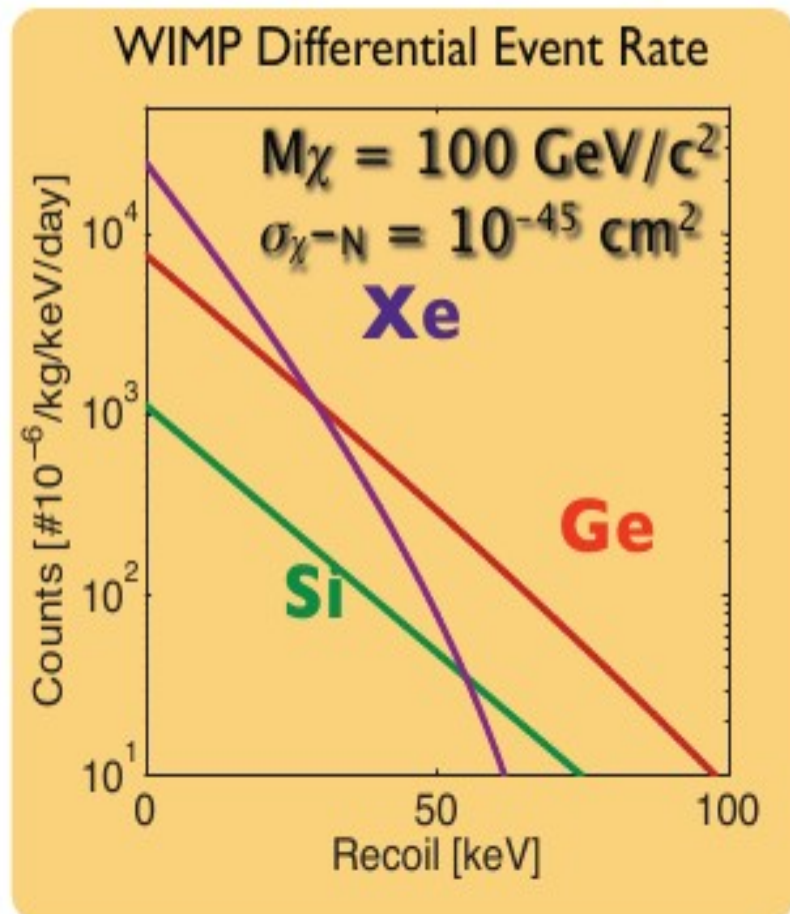
$$\Lambda = \frac{1}{J} \left[ a_p \langle S_p \rangle + a_n \langle S_n \rangle \right]$$

$$\langle S_{p,n} \rangle = \langle N | S_{p,n} | N \rangle$$

measure the amount of spin carried by the p- and n-groups inside the nucleus

$a_p, a_n$ : effective coupling of the WIMPs to protons and neutrons, typically  $\propto m_W^{-2}$

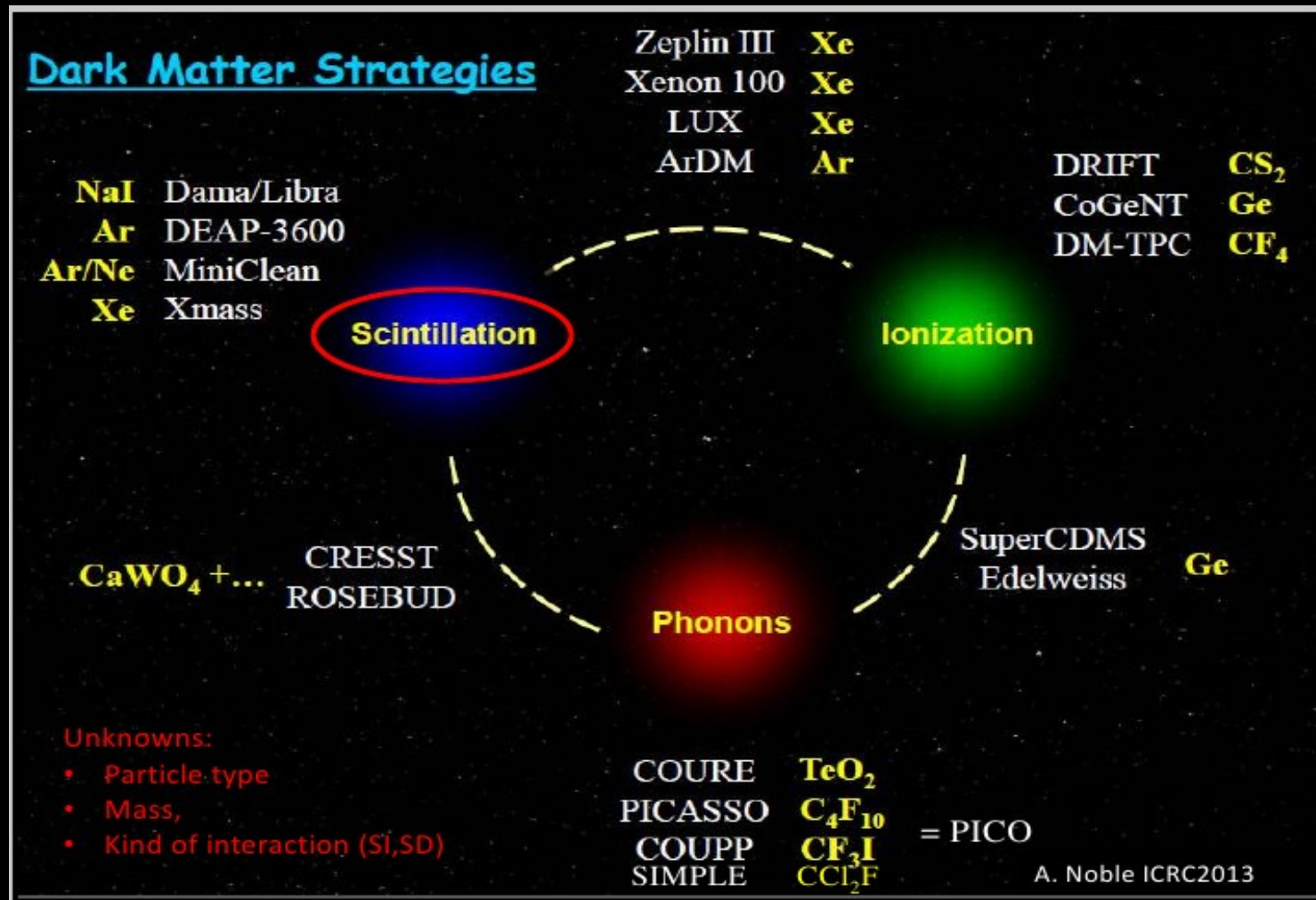
# Nuclear Recoil Spectrum



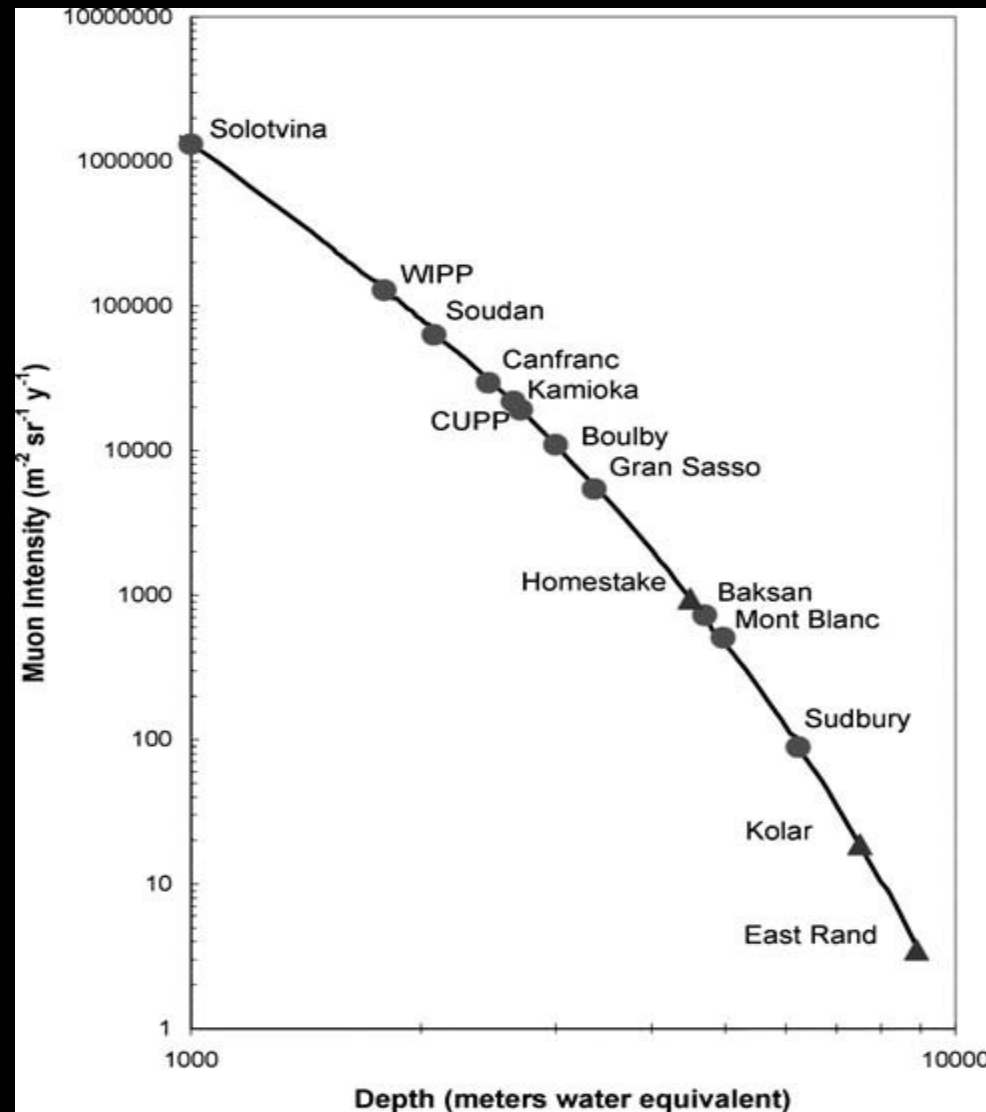


# Detection Strategies

The energy deposited by WIMP-induced nuclear recoil in the detector medium manifests as light (**scintillation**), sound (**acoustic waves/phonons**) and charge (**ionization**)



# Go Underground to reduce Cosmic Ray Background



J. Formaggio and C. Martoff, Ann. Rev. Nucl. Part. Sci. 54 (2004) 361

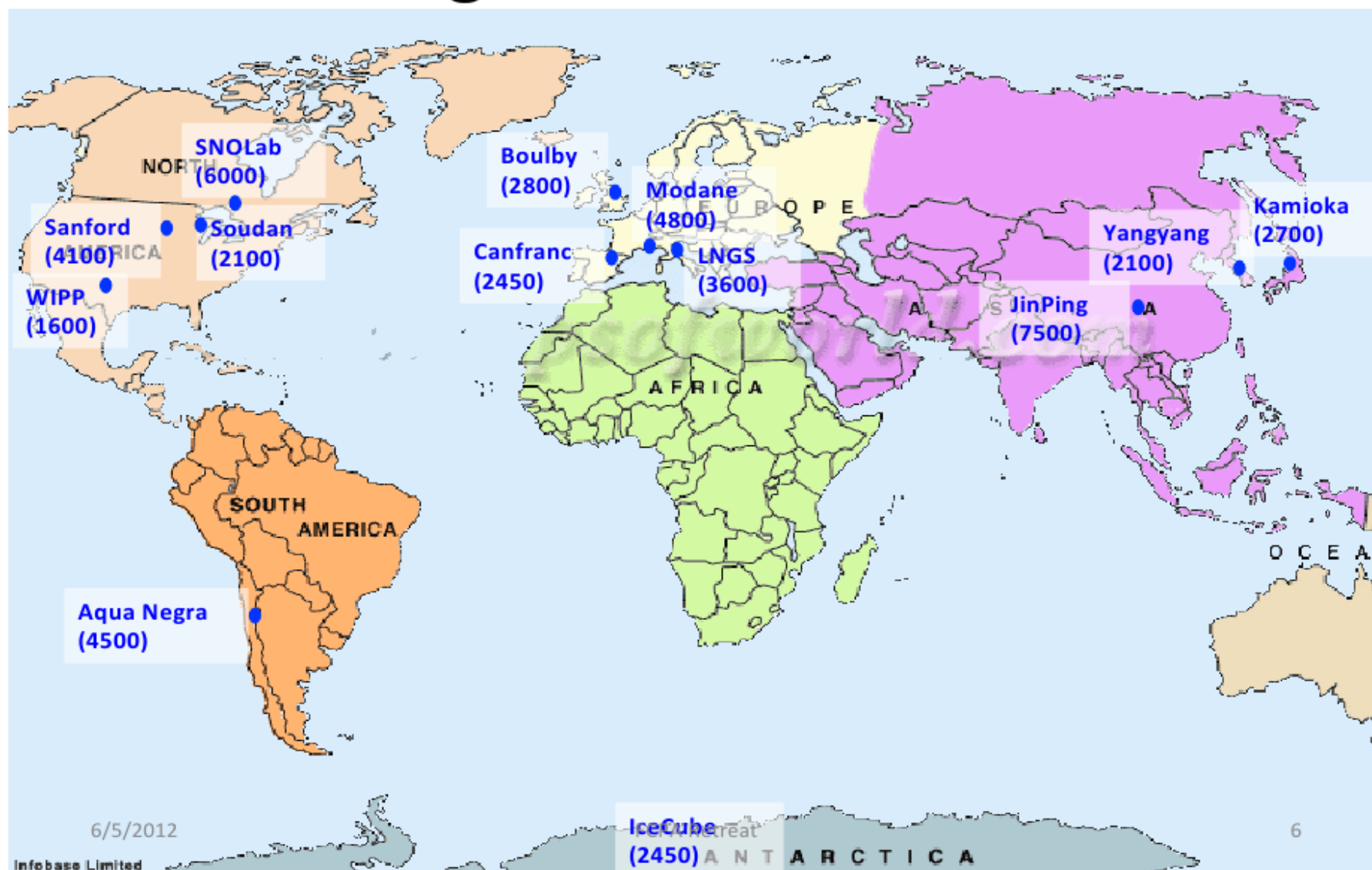
# Direct Detection Technology Summary

Project	Strengths	Weaknesses
Cryogenic Ge detectors (CDMS, Edelweiss, CRESST)	Proven background rejection, experience	Expensive to build/test detectors
Threshold Detectors (COUPP, SIMPLE, PICASSO)	Ultimate EM rejection, inexpensive, easy to change target material	Alpha backgrounds, no energy spectrum, scaling to large mass?
Single-phase LAr, LXe (DEAP, Clean, XMASS)	Simple and reasonably inexpensive	Not clear if rejection good enough, E thresholds high
Dual-phase LAr (Darkside, WARP)	Excellent EM rejection and relatively inexpensive compared with Xe, Ge	$^{39}\text{Ar}$ reduction needed, $\sim 10$ more target mass needed than Ge or Xe, E threshold high
Dual-phase LXe (Xenon, LUX)	Suitable target for both SI and SD, low E threshold possible	Poor intrinsic EM rejection, low E performance not understood
Low pressure TPCs (DMTPC, Drift)	Directional detection of WIMPs possible	Very hard to get sufficient target mass, backgrounds unknown
Scintillating Crystals (DAMA/LIBRA, KIMS)	Annual modulation with large target mass	No background rejection. Long-term stability crucial
Ionization Detectors (CoGeNT, DAMIC,...)	Very low E threshold and good E resolution	Background rejection difficult and small target masses

There may not be one clear winner; all experiments run into backgrounds!  
 More than one technology will be needed to establish a WIMP signal

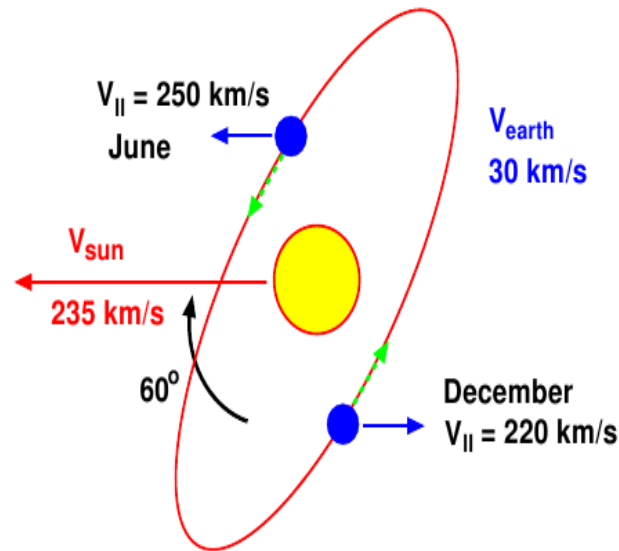
From: Dan Bauer, 2012

# Underground Laboratories



# Annual Modulation: DAMA Expt.

## Modulation Signal



$$f(\mathbf{v}, t) = f_{\text{Galaxy}}(\mathbf{v} + \mathbf{v}^{\text{Earth}}(t)).$$

DAMA + DAMA/LIBRA claimed detection based on a claimed positive modulation signal

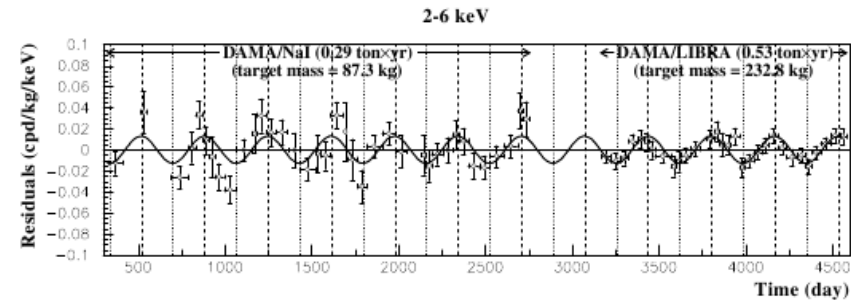
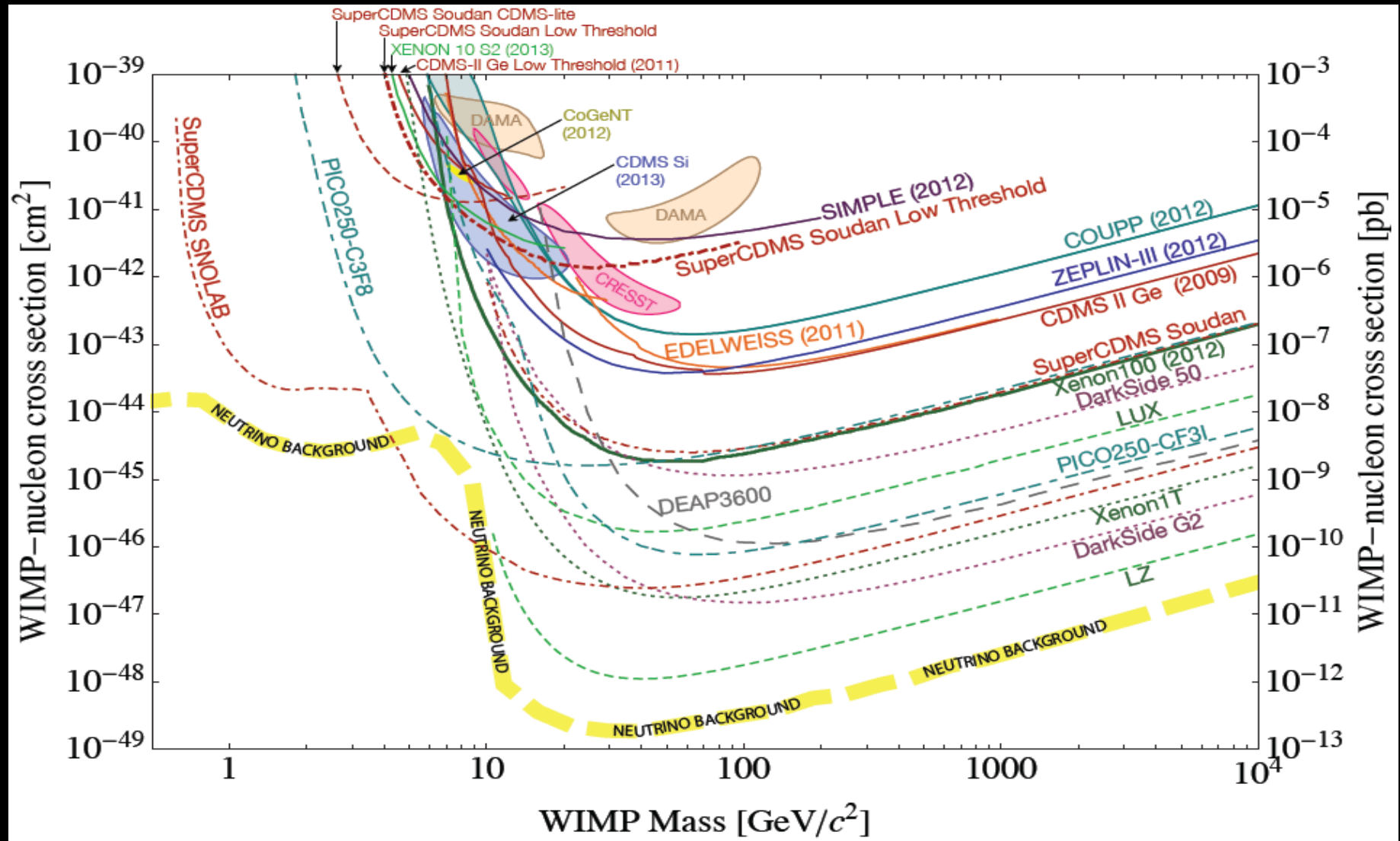


Fig. 9. Annual modulation observed by DAMA NaI and DAMA/LIBRA experiments with recoil energy between 2-6keV. The amplitude is  $(0.0129 \pm 0.0016)$  cpd/kg/keV against an overall background counting rate of about 1 cpd/kg/keV (corresponding to a relative amplitude of about  $1.3 \pm 0.1$  %). The phase is  $144 \pm 8$  days, with maximum in early June. Details can be found in [108].

Recently, CoGeNT experiment has also claimed detecting an annual modulation in their data



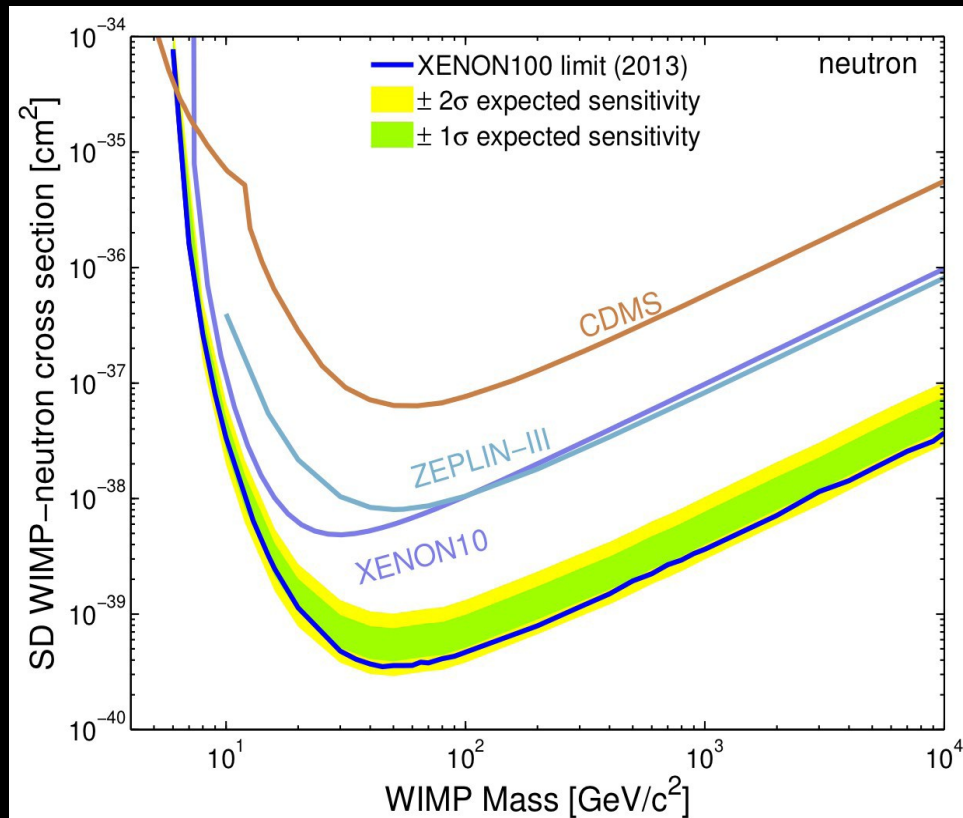
# Exclusion Curves (spin-independent interaction)



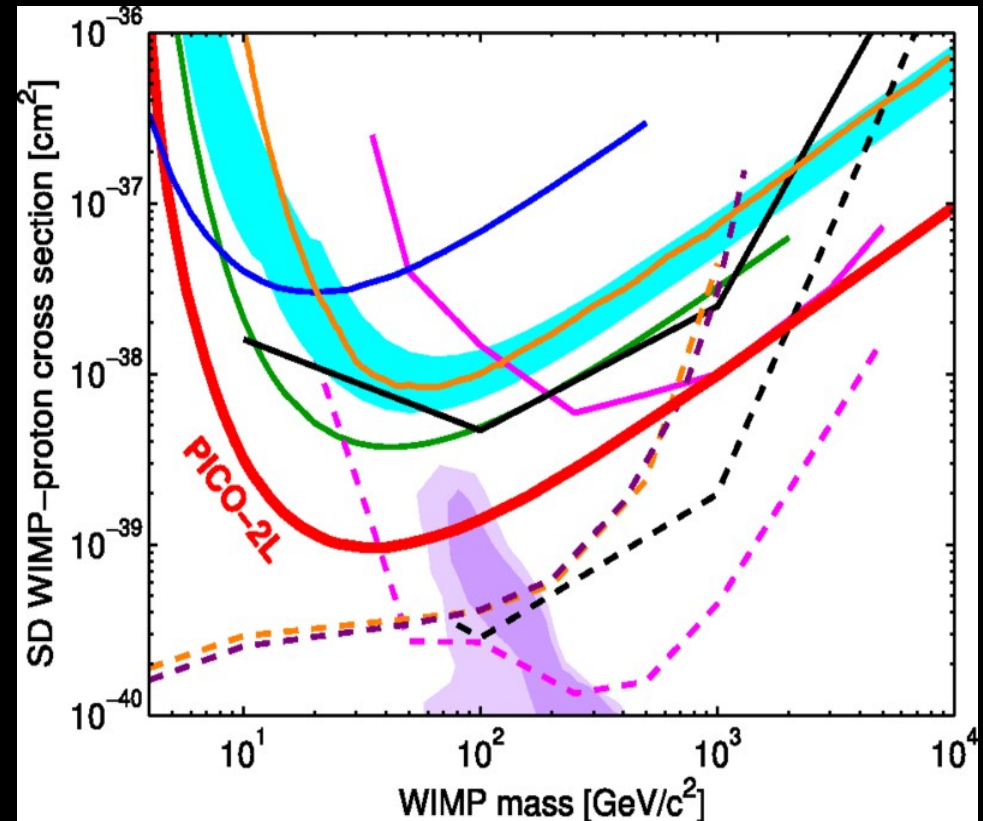
P. Cushman et al, arXiv:1310.8327

# Exclusion Curves: Spin-dependent interactions

Aprile et al (XENON100) 2013



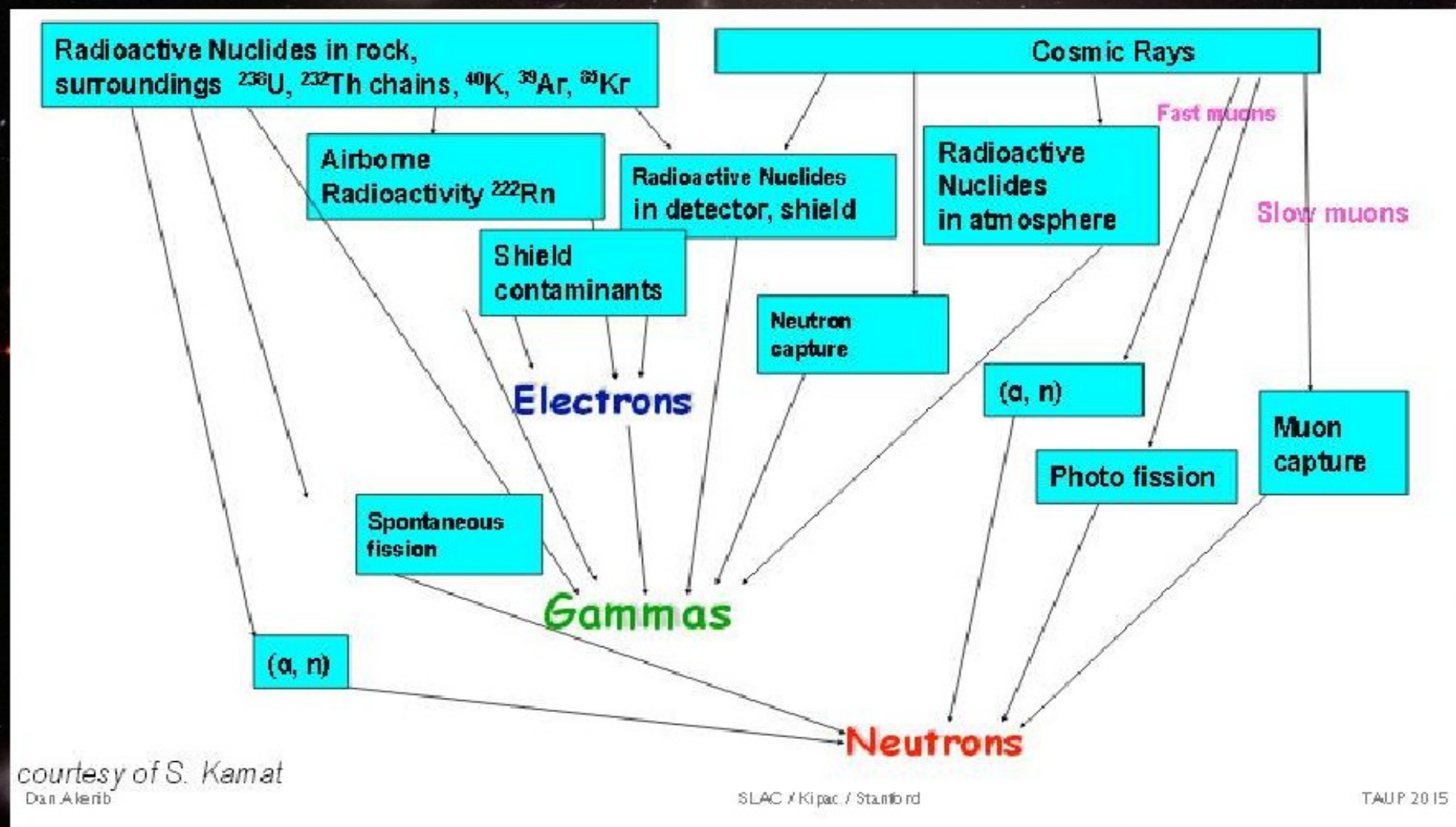
Amole et al (PICO) PRL 2015



(SINP)

# Detecting WIMPS means fighting Backgrounds !

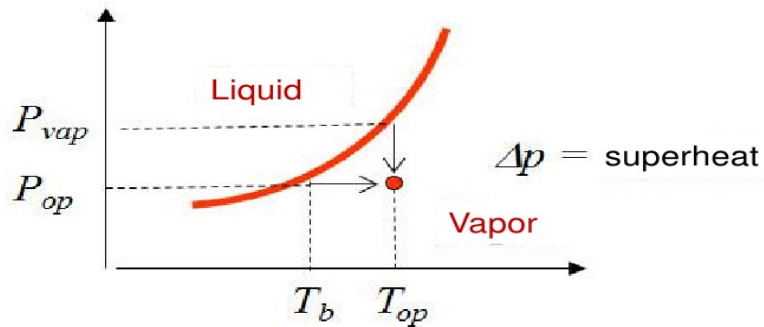
WIMP scatters ( $< 1$  evts /100 kg/ 100 day) swamped by backgrounds ( $> 10^{6-7}$  evts/kg-d)



Viktor Zacek (AAPCOS-2015, SINP)

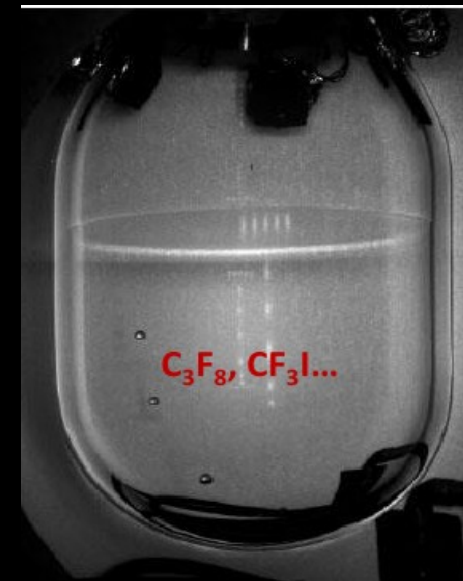
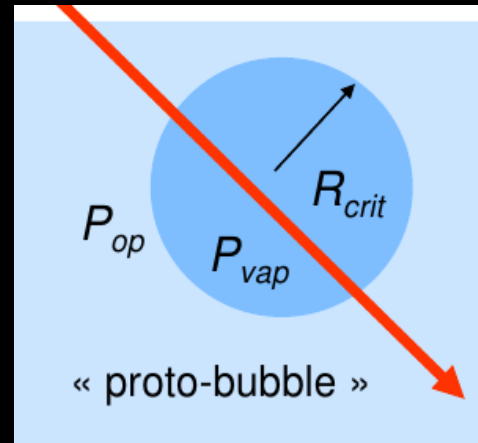


# Superheated Liquid as a threshold detector for WIMPs



**Bubble chamber principle:** (D. Glaser, 1952)

- $E_{dep} < E_{thr}$  within  $R_{crit}$  → proto-bubble collapses
- $E_{dep} > E_{thr}$  within  $R_{crit}$  → irreversible bubble expansion!



$$E_{dep} = \frac{dE}{dx} \cdot R_{crit} \geq E_{thr}$$

Surface tension

$$R_c = \frac{2\sigma}{\Delta p} \quad E_{thr} = 4\pi R_c^2 \left( \sigma - T \frac{\partial \sigma}{\partial T} \right) + \frac{4}{3} R_c^3 \rho_v h$$

Crit. Radius      Surface energy      Latent heat

**Threshold energy  $E_{thr}$  is set by varying  $(T_{op}, P_{op})$**

**Works at room temperature!**

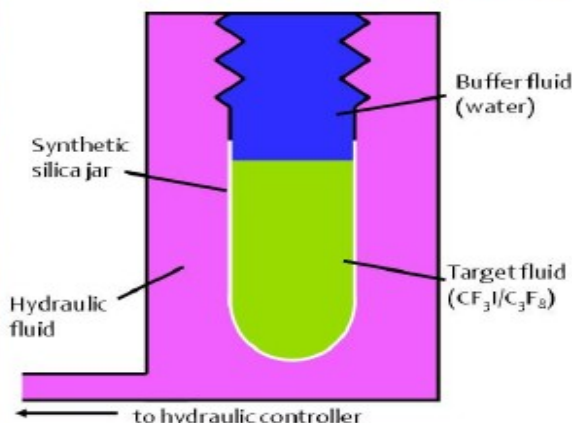
**Fluids of choice: Fluorinated halocarbons → SD, SI**

- $C_4F_{10}$ ,  $C_5F_{12}$ ,  $C_3F_8$ ,  $CF_3I$ , ... (right surface tension)
- But in principle any liquid

**Spin Independent Interactions**

**Spin Dependent Interactions**

# Technical Realizations

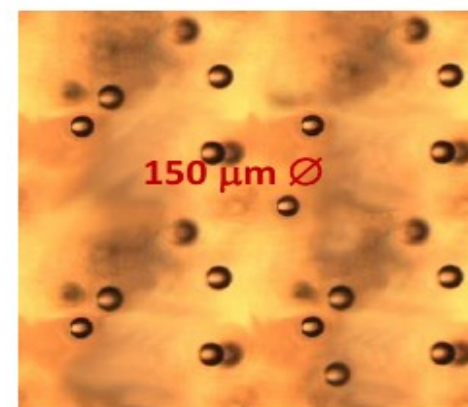


## Bubble chambers

Acoustic & optical read out

## Droplet detectors

Acoustic read out



## Condensation chambers "Geyser"

Acoustic & optical read out

Viktor Zacek

# Fluorine – good for spin-dependent WIMP search

Isotope	Spin	Unpaired	$\lambda^2$
$^7\text{Li}$	3/2	p	0.11
<b><math>^{19}\text{F}</math></b>	<b>1/2</b>	<b>p</b>	<b>0.863</b>
$^{23}\text{Na}$	3/2	p	0.011
$^{29}\text{Si}$	1/2	n	0.084
$^{73}\text{Ge}$	9/2	n	0.0026
$^{127}\text{I}$	5/2	p	0.0026
$^{131}\text{Xe}$	3/2	n	0.0147

$$\sigma = \frac{32G_F^2 m_r^2}{\pi} \underbrace{\frac{J+1}{J} \left[ a_p \langle s_p \rangle + a_n \langle s_n \rangle \right]^2}_{\lambda^2}$$

- Fluorine one of the more favourable targets

Courtesy: Tony Noble

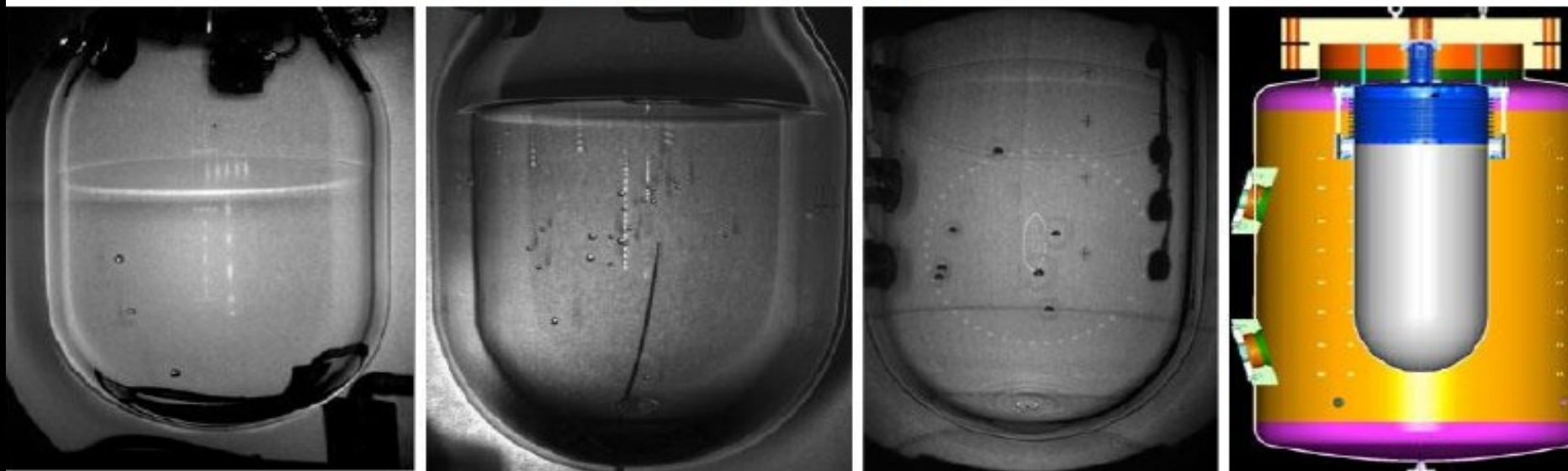


## Merger of PICASSO and COUPP Collaborations

Queen's, Valencia, PNNL, Northwestern, Saha, FNAL, Toronto, Chicago, Montreal, Laurentian, SNOLAB, Alberta, Mexico, Drexel

- Develop the BC technology with the ultimate goal of building a **tonne scale detector** at SNOLAB
- Fully explore the **Spin-Dependent** sector with F-loaded targets and particular sensitivity to **low mass WIMPs**
- Exploit the **multi target** capacity of this approach ( $C_3F_8$ ,  $CF_3I$ ...)

**PICO 2L → PICO 60 L → PICO 250 L**



# PICO Collaboration



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G. Caria, A. Kamaha,  
A. Noble, T. Xie



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D. Asner, J. Hall



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C. Harnish, O. Harris,  
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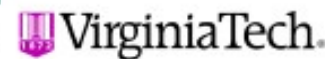
CZECH TECHNICAL  
UNIVERSITY  
IN PRAGUE

R. Filgas,  
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D. Maurya, S. Priya

S. Gagnebin, C. Krauss,  
D. Marlisov, P. Mitra



I. Lawson,  
E. Vázquez Jáuregui

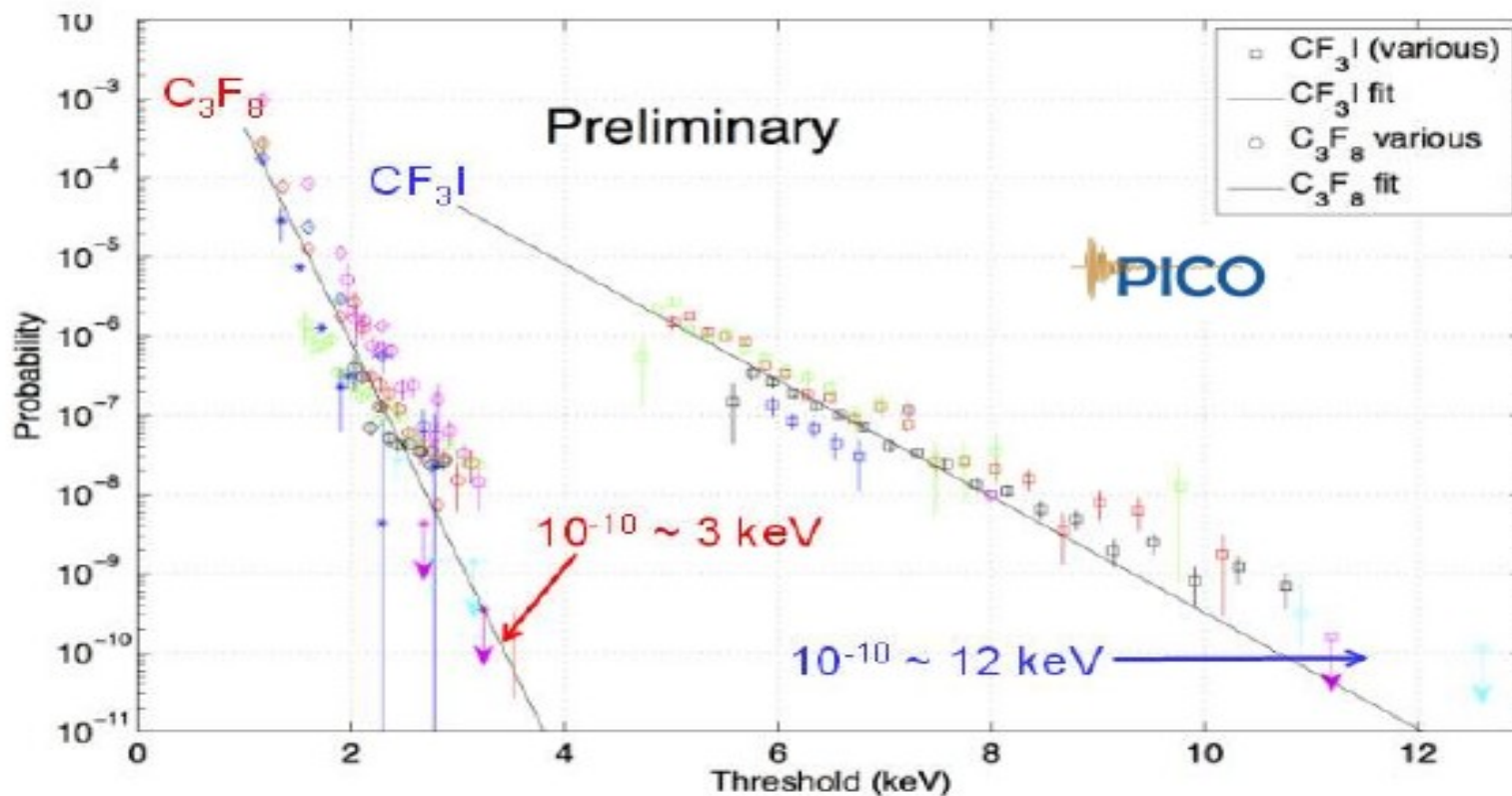
CosPA November 13th, 2013  
Russell Neilson, University of Chicago

# Superheated Liquids and Gamma Rejection

$$E_{dep} = \frac{dE}{dx} \cdot R_{crit} \geq E_{thr}$$



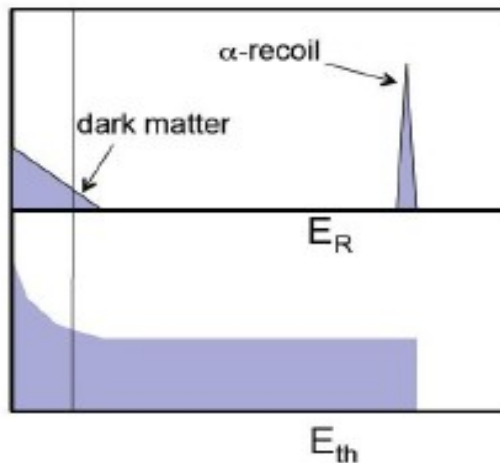
Can set superheat parameters (T, P) such that detector is blind to electronic recoils



**10<sup>-10</sup> rejection or better!**

Viktor Zacek (PICASSO/PICO)

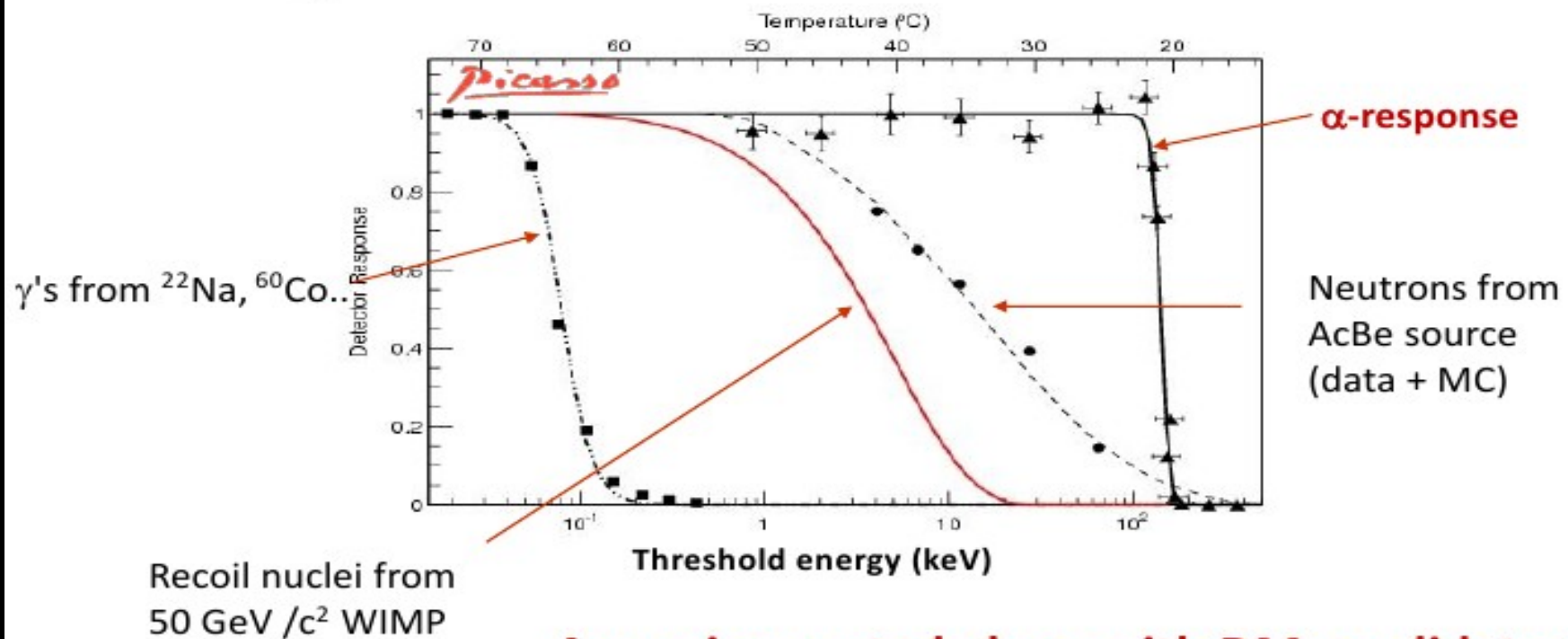




## Particle Responses

Threshold device with integrating response

$$R(T, P) = \int_{E_{th}}^{\infty} \frac{dN}{dE_R} dE_R$$



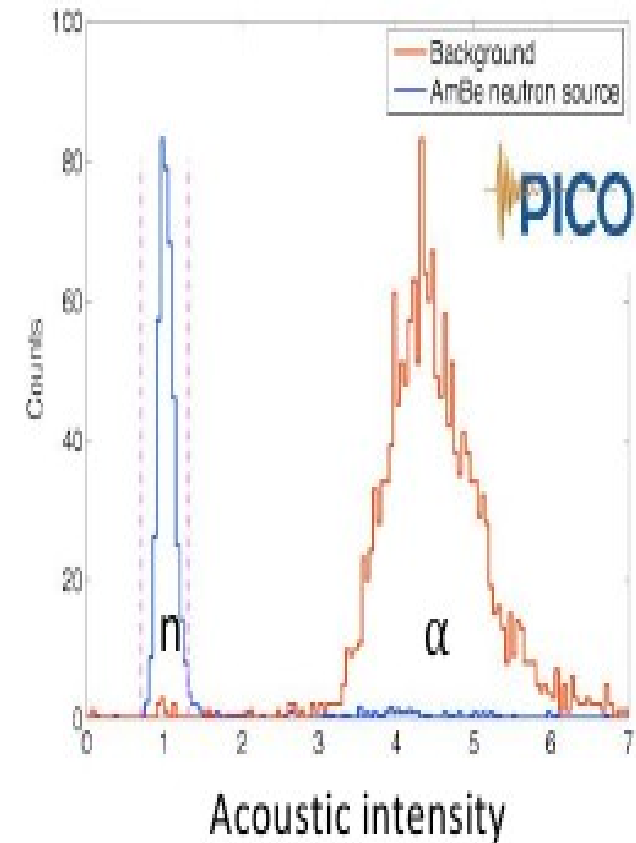
**Any  $\alpha$  is counted along with DM candidates!**

Viktor Zacek

# Acoustic Alpha Discrimination

Discovery of acoustic discrimination against alphas by PICASSO (Aubin et al, New J. Phys 10:103017, 2008)

- Alphas deposit energy over tens of microns
- Nuclear recoils deposit theirs in tens of nanometers
- Alphas are several times louder !
- Alpha rejection > 98.2%

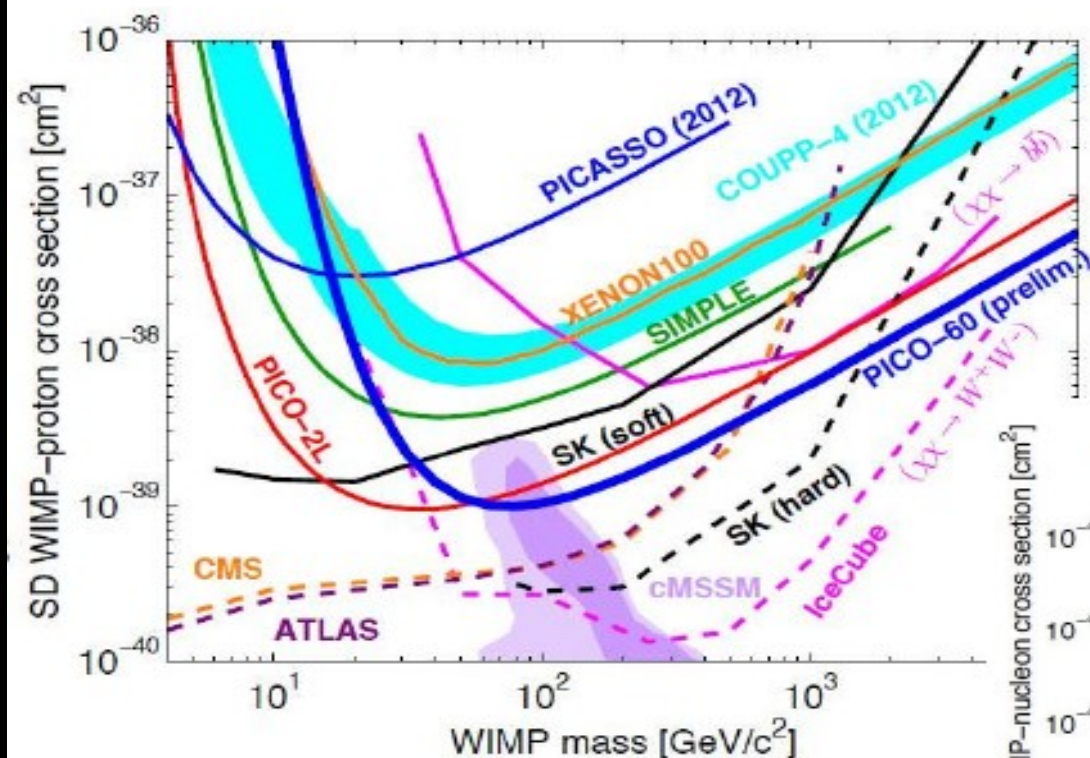


Viktor Zacek



# PICO 2L @ SNOLAB – Run1

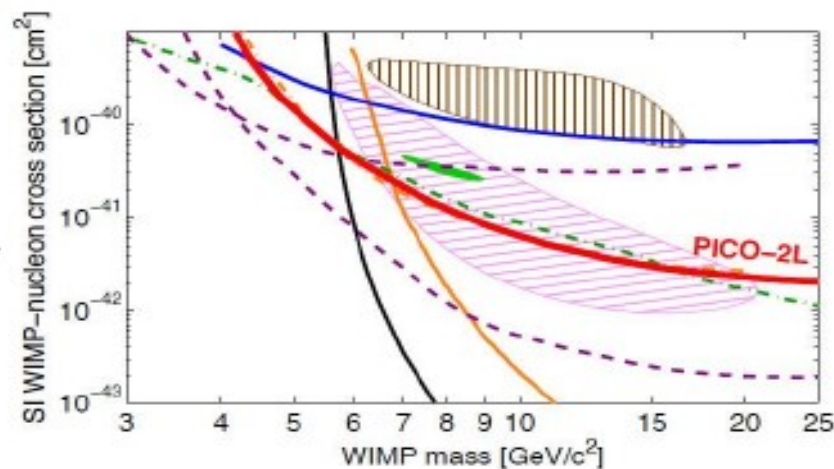
C. Amole et al.: Phys. Rev. Lett. 114, 231302 (2015)



**World best Spin Dependent WIMP-proton limits for direct detection!**

- 212 kgd exposure of  $C_3F_8$
- 4 thresholds (3 – 8 keV)
- 12 anomalous nucl. recoil events
- Timing not random!
- Rejected by optim. interval analysis

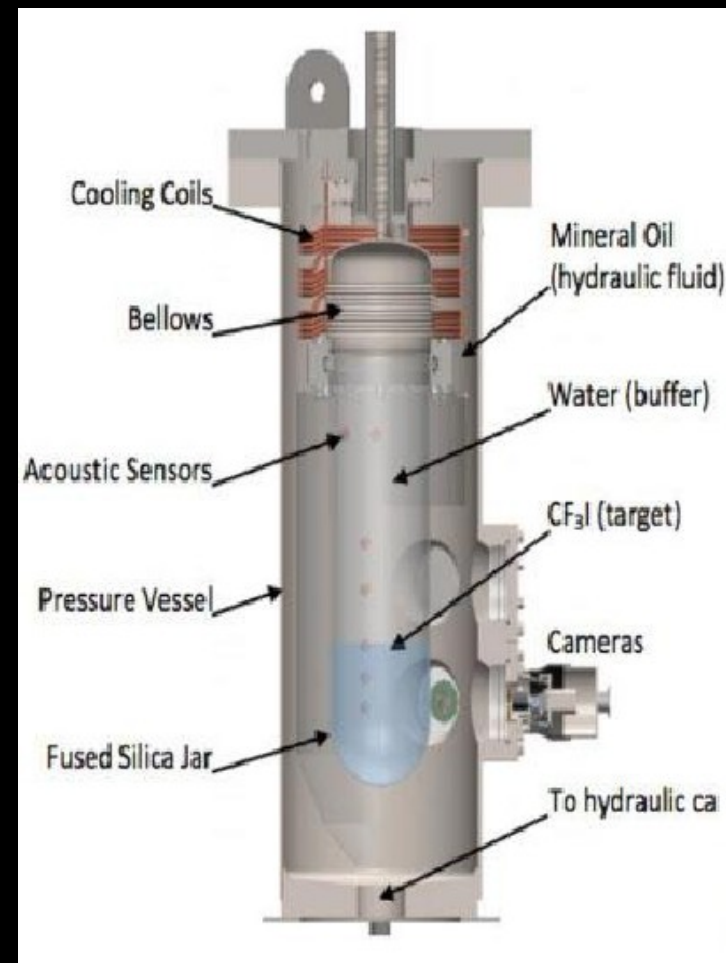
**No DM signal detected!**



**Spin Independent results challenge signal claims!**

Courtesy: Viktor Zacek (PICASSO/PICO)

# PICO 60 $\text{CF}_3\text{I}$ @ SNOLAB

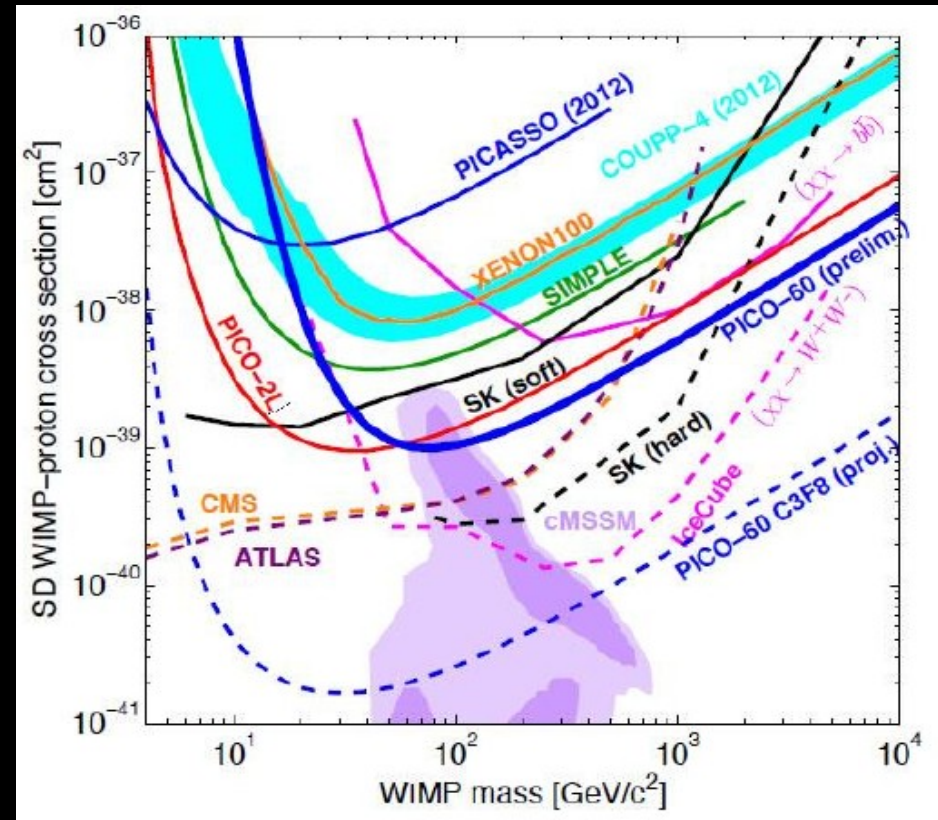
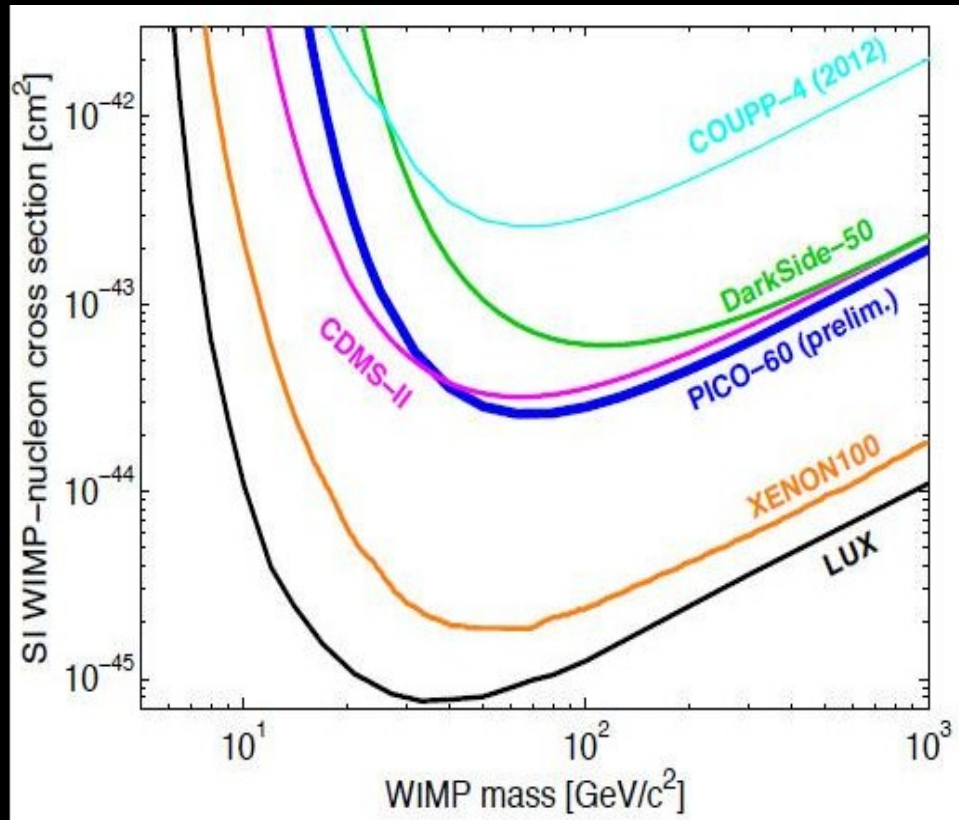


- Largest ever Bubble Chamber for DM search
- 36.8 kg (18.4 Litre) of  $\text{CF}_3\text{I}$
- 3415 kg-days of exposure (between June'13 and May'14)

**No DM candidates after cuts!**



# PICO-60 (CF3I) Bubble Chamber @SNOLAB



PICO collaboration (arXiv:1510.07754v2)

# Looking Ahead on Bubble Chambers DM Detection

## The Scintillating Bubble Chamber!

### Bubble Chamber

- $10^{-10}$  discrimination against ER!
- Cannot measure deposited energy

### Two-phase liquid scintillation detector

- $\sim 10^{-4}$  discrim. against ER
- Can measure deposited energy!

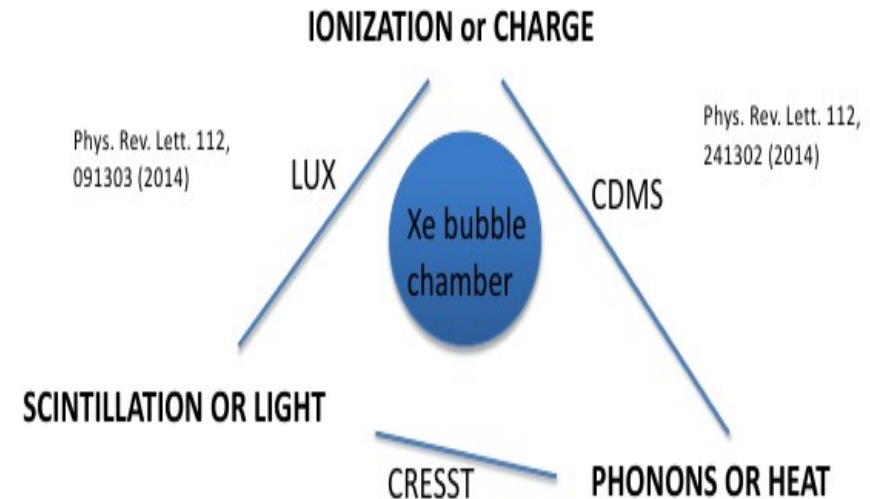
Combine the technologies!

**LXe:**  $10^6$  improvement in ER discrimination

**LA:** pulse shape discrimination at higher energies, can achieve low thresholds with coupling to Bubble chamber technology

**Scintillating Fluorinated Halocarbons:** Spin dependent searches

J. Mock et al, Berkeley Workshop on Dark Matter Detection, June 2015

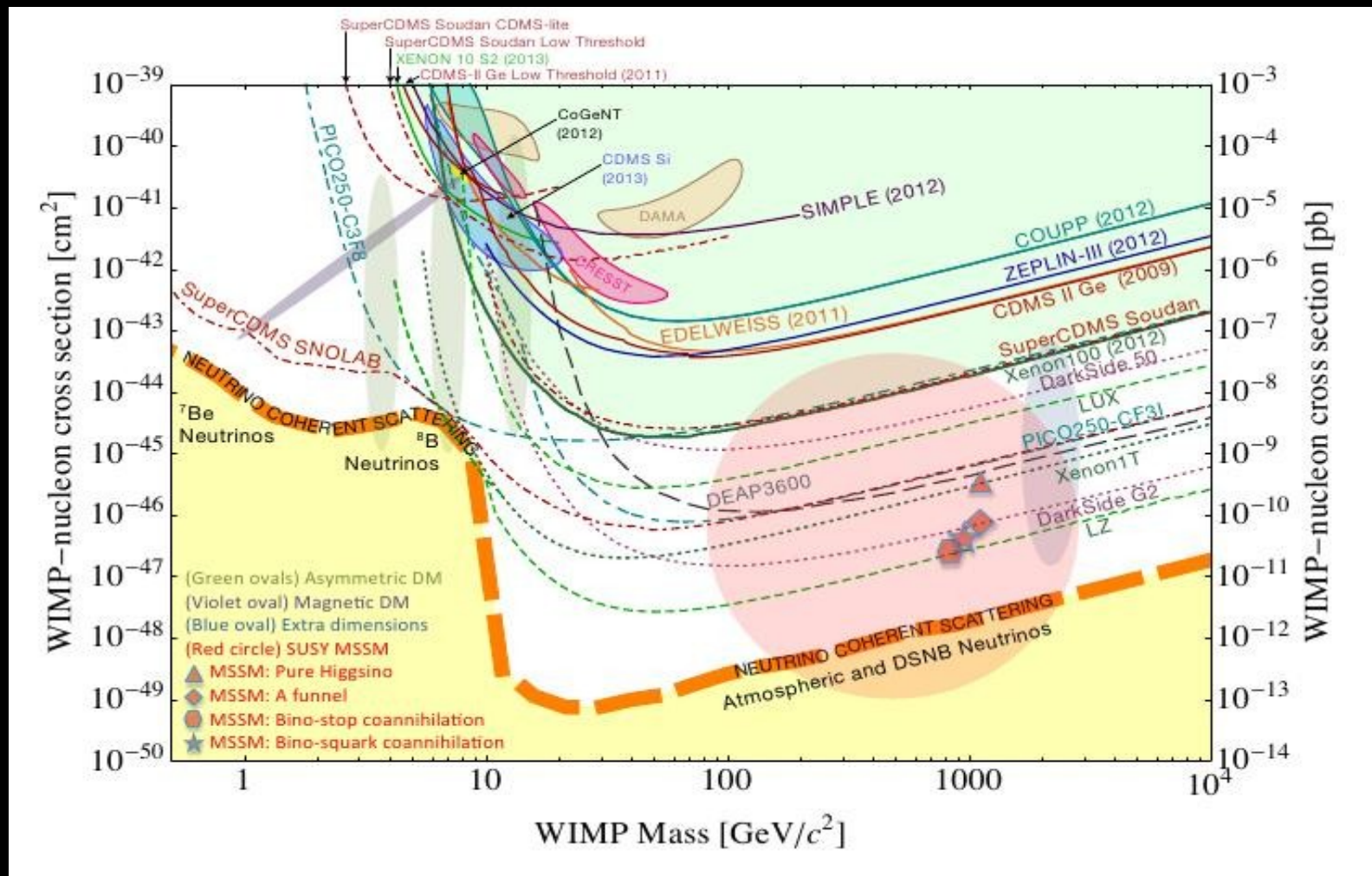


- Initially scintillation & heat
- Later ionization (TPC?)

All three modes accessible!

J. Mock et al, Berkeley Workshop on Dark Matter Detection, June 2015

# Ultimate Background: The Neutrino “Floor”



Cushman et al, arXiv:1310.8327

DM detectors will start detecting astrophysical neutrinos through Coherent Neutrino-Nucleus Elastic Scattering (SM process)!



# Detecting SN neutrino with DM detectors

OBSERVING SUPERNOVA NEUTRINO LIGHT CURVE IN ...

PHYSICAL REVIEW D **89**, 013011 (2014)

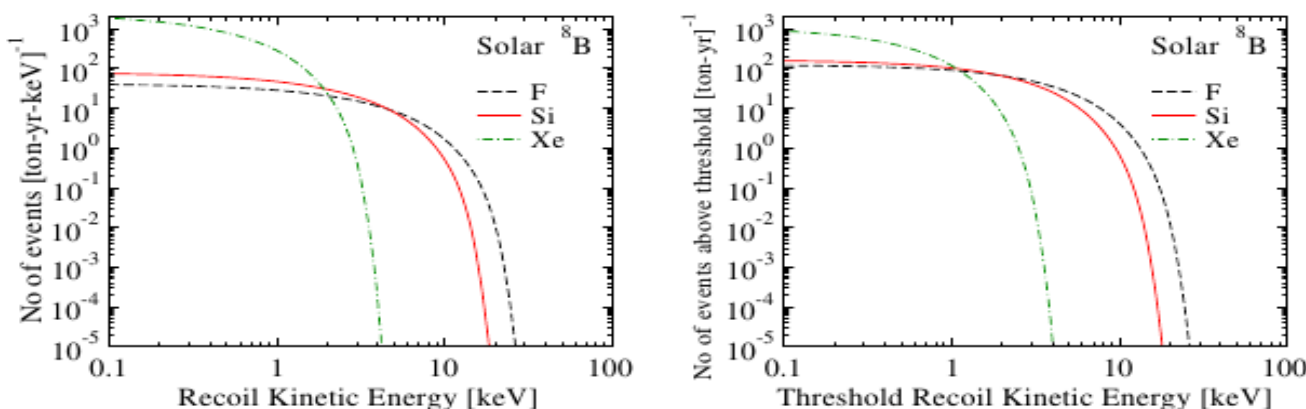


FIG. 1 (color online). Left: Recoil energy spectra (differential event rate as a function of recoil nucleus kinetic energy) for  $^8B$  solar neutrinos in a dark matter detector with three different target materials, namely,  $^{19}F$ ,  $^{28}Si$  and  $^{131}Xe$ . Right: The integral recoil energy spectra (total event rate above a threshold recoil energy) as a function of the threshold recoil energy of the detector.

CHAKRABORTY, BHATTACHARJEE, AND KAR

PHYSICAL REVIEW D **89**, 013011 (2014)

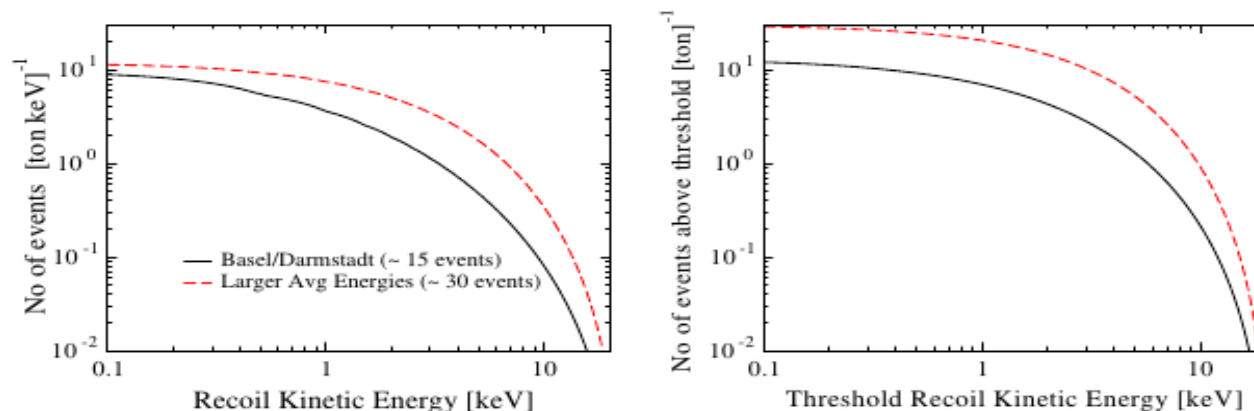
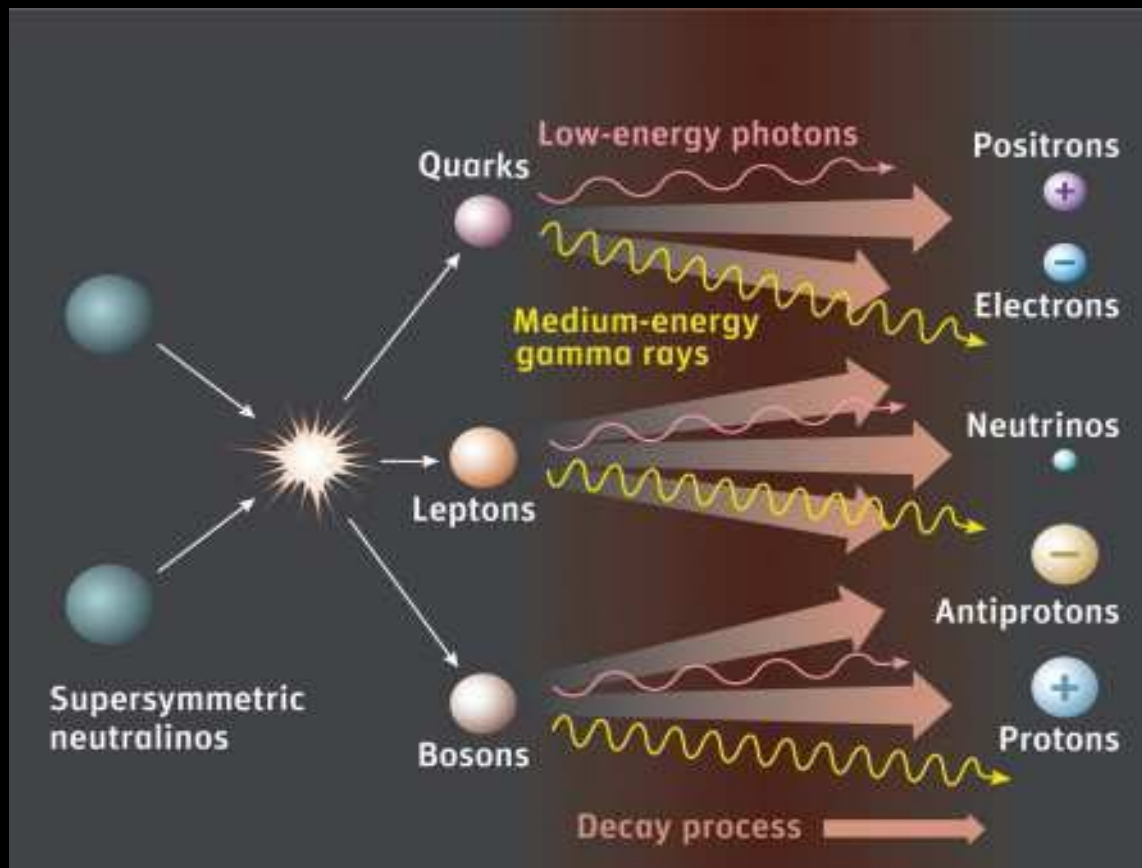


FIG. 5 (color online). Recoil energy differential spectra (left) and integral spectra as a function of the threshold recoil energy (right) for SN neutrinos in a 1-ton Xe detector. Curves are shown for the Basel/Darmstadt SN model as well as for another SN model with average energies of  $\nu_e$ ,  $\bar{\nu}_e$  and  $\nu_x$  equal to 10, 12 and 18 MeV, respectively, both for a SN at a distance of 10 kpc from the Earth.

# INDIRECT DETECTION



AMS-02: Positron excess in Galactic CR

FERMI-LAT: Gamma rays from WIMP annihilation in dwarf Spheroidal satellites of Milky Way

Super-K, ICECUBE: Neutrinos from WIMP annihilation in Sun

...

# Gamma-rays from WIMP annihilation

annihilation  $\frac{d^2\phi}{d\Omega dE} = \frac{\langle\sigma v\rangle}{8\pi m_\chi^2} \frac{dN_\gamma}{dE} \times \int_{\text{l.o.s.}} \rho^2 ds$   $J$  factor

## Galactic DM Halo

- good S/N
- difficult background
- angular information

## Galactic Center

- brightest DM source
- bright background

## DM clumps

- no baryons
- bright enough?
- boost overall signal

## Extragalactic

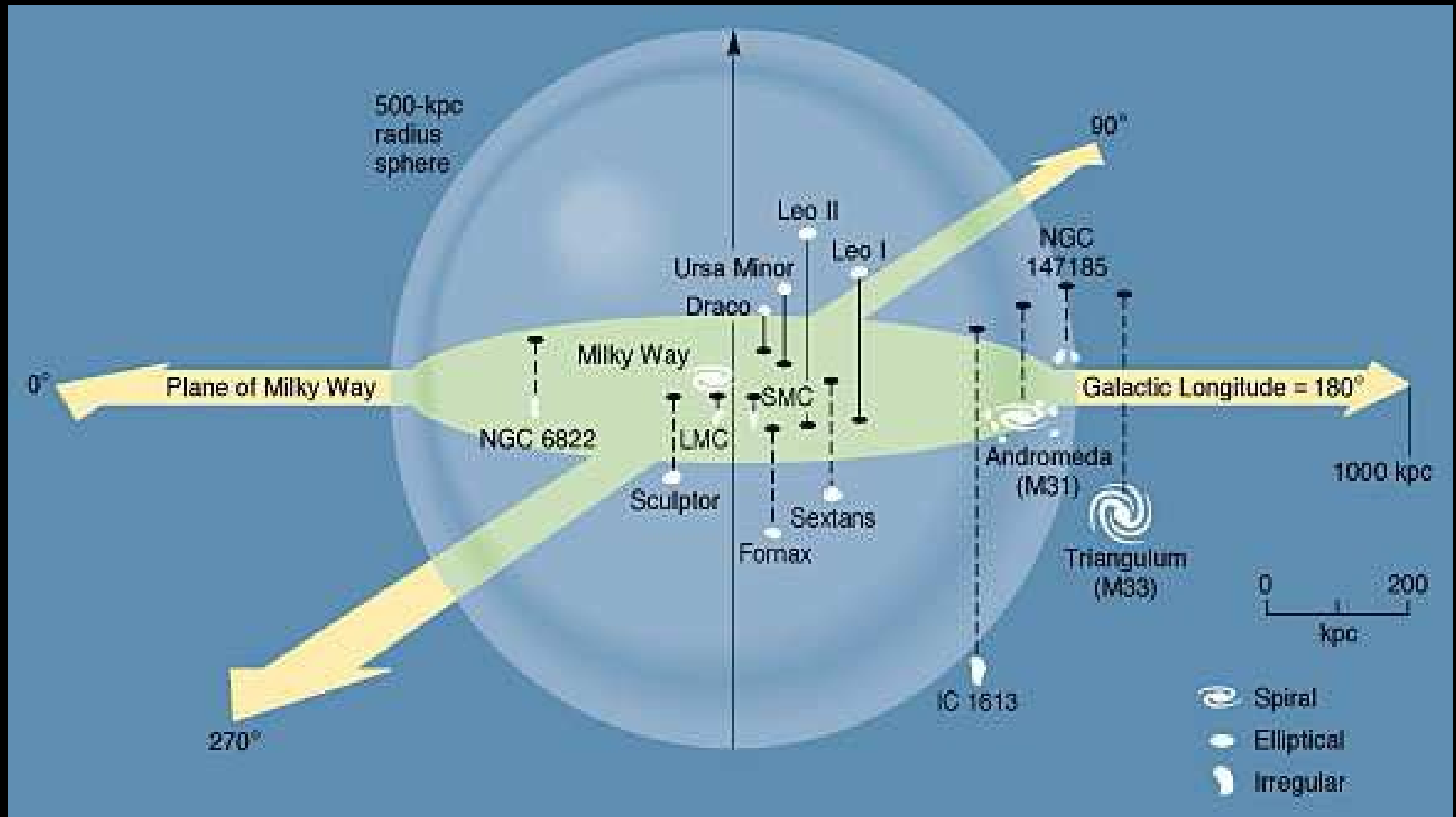
- nearly isotropic
- visible near Galactic Poles
- angular information
- galaxy clusters?

## Dwarf Spheroidal Galaxies

- harbor small number of stars
- otherwise dark (no  $\gamma$ -ray emission)

*Kuhlen, Diemand, Madau 2007*

# Milky Way's dwSphs





# Constraints on WIMP annihilation from gamma rays from Milky Way's dSphs

PRL 115, 231301 (2015)

PHYSICAL REVIEW LETTERS

week ending  
4 DECEMBER 2015

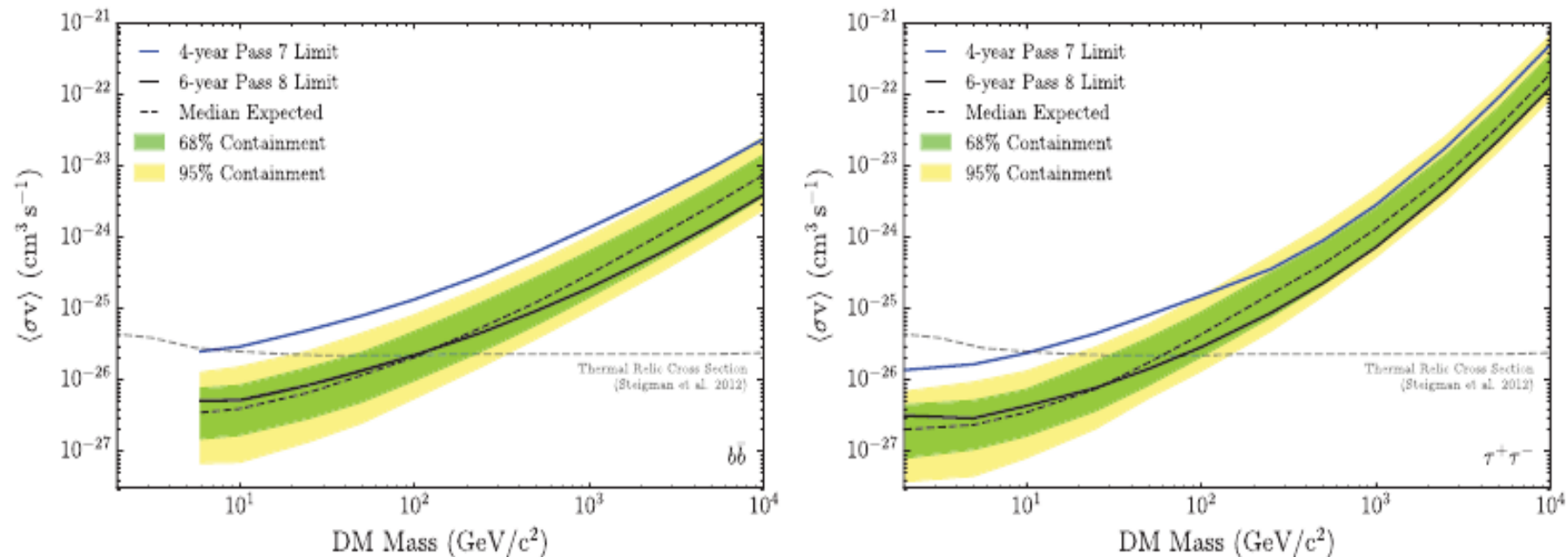
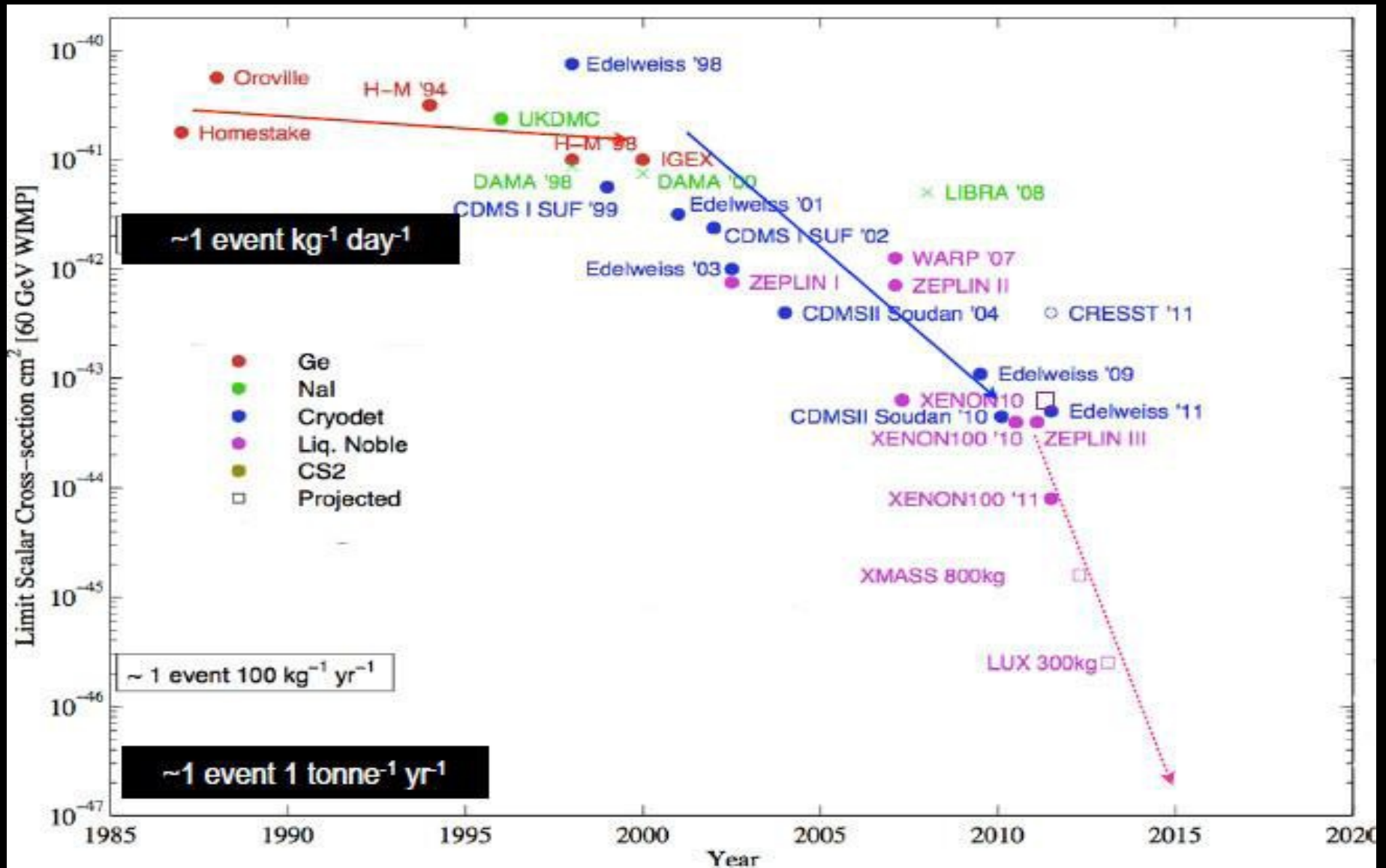


FIG. 1 (color). Constraints on the DM annihilation cross section at the 95% CL for the  $b\bar{b}$  (left) and  $\tau^+\tau^-$  (right) channels derived from a combined analysis of 15 dSphs. Bands for the expected sensitivity are calculated by repeating the same analysis on 300 randomly selected sets of high-Galactic-latitude blank fields in the LAT data. The dashed line shows the median expected sensitivity while the bands represent the 68% and 95% quantiles. For each set of random locations, nominal  $J$  factors are randomized in accord with their measurement uncertainties. The solid blue curve shows the limits derived from a previous analysis of four years of PASS7 REPROCESSED data and the same sample of 15 dSphs [13]. The dashed gray curve in this and subsequent figures corresponds to the thermal relic cross section from Steigman *et al.* [5].

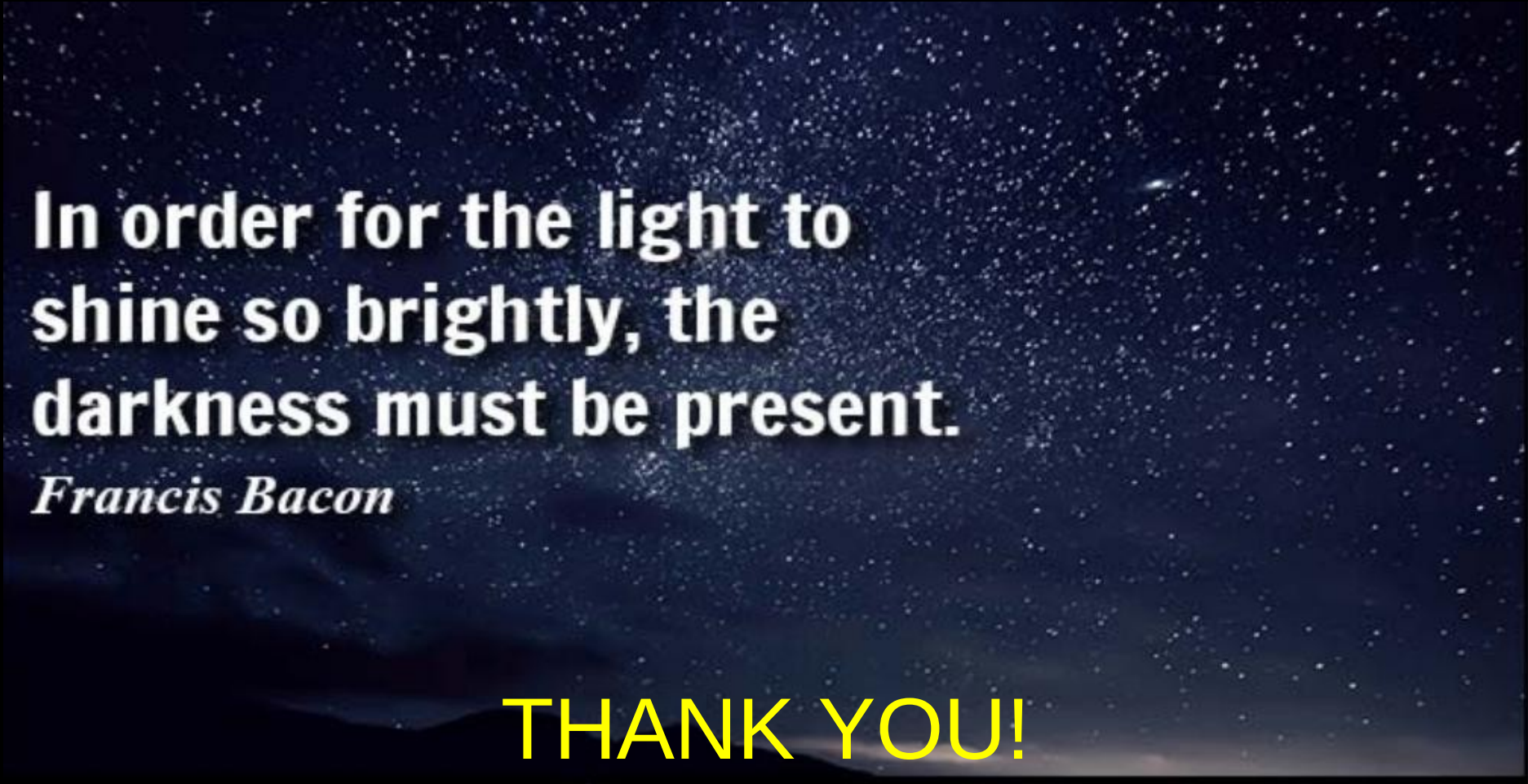
Fermi-LAT collaboration (Dec 2015)



# Wither WIMP Direct Detection?



Courtesy: Viktor Zacek (adapted from R. Gaitskell)



**In order for the light to  
shine so brightly, the  
darkness must be present.**

*Francis Bacon*

**THANK YOU!**